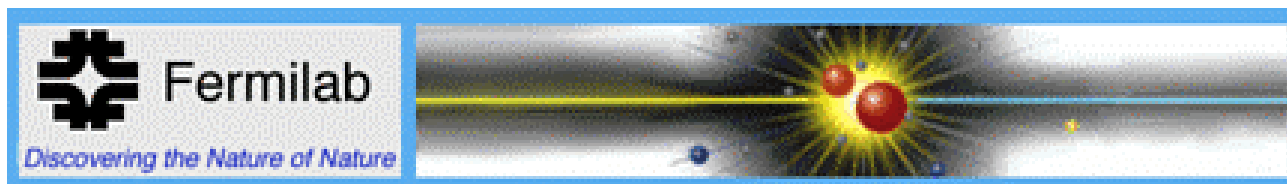


High Frequency Adiabatic Buncher

(GEANT4 simulation)

V. Daniel Elvira

May 11th, 2002



Motivation

v factory needs phase rotation after decay channel:

- very low frequency r.f. system or induction linac (Study I, II baseline used induction linac, CERN used low freq r.f.)

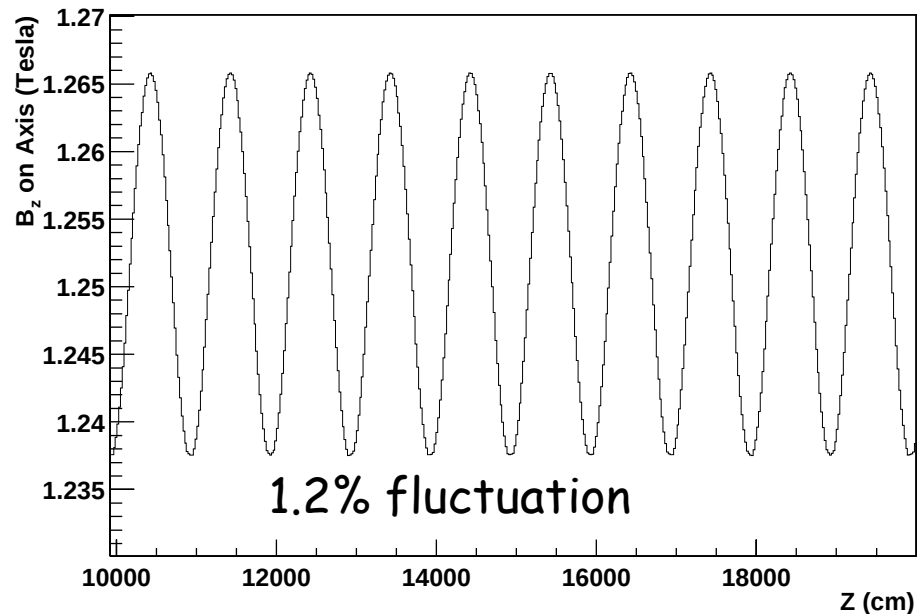
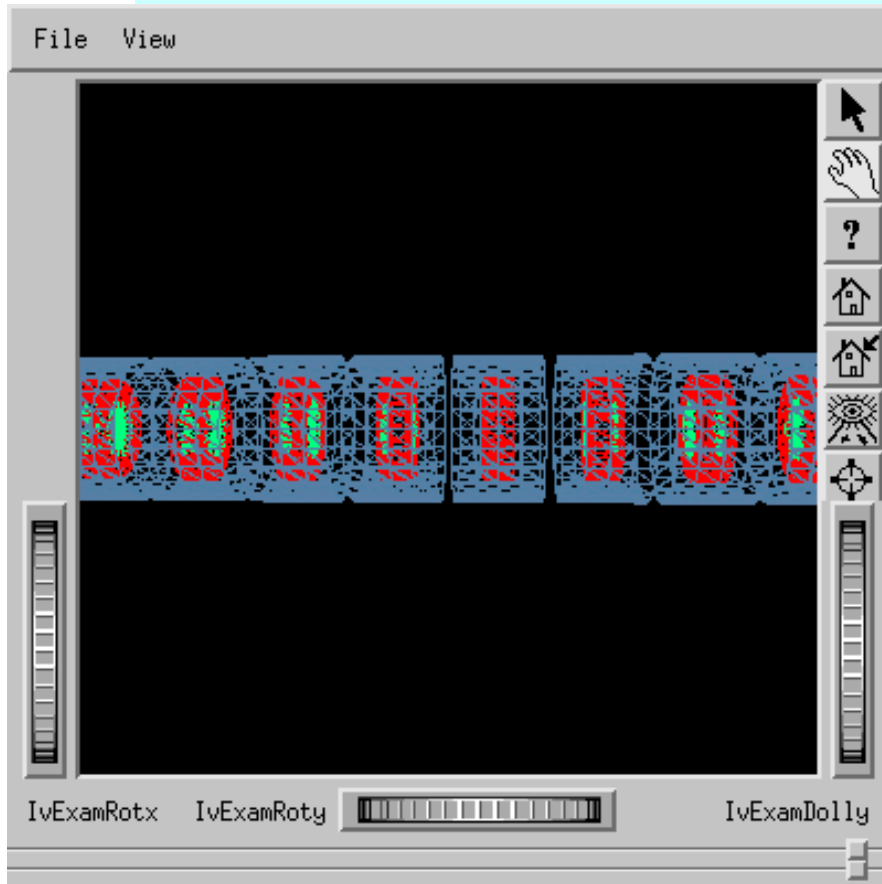
new development technology, cost.....

- high frequency bunching and then phase rotation (Neuffer & Van Ginneken)

established high frequency r.f. systems

Design: 100 m drift section + 60 m adiabatic buncher + 40 m phase rotator + matching section + cooling channel (double flip?)

Lattice Design

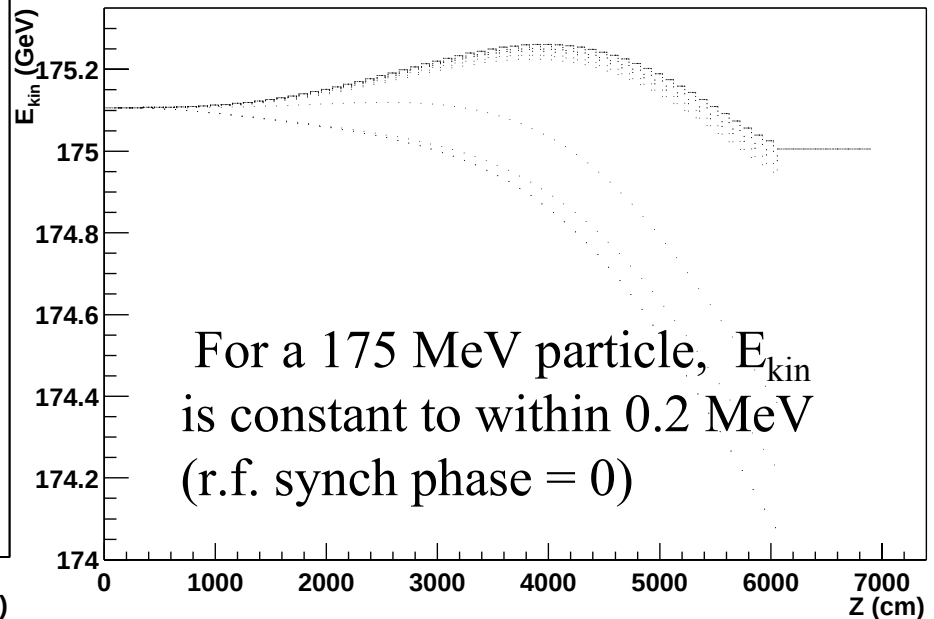
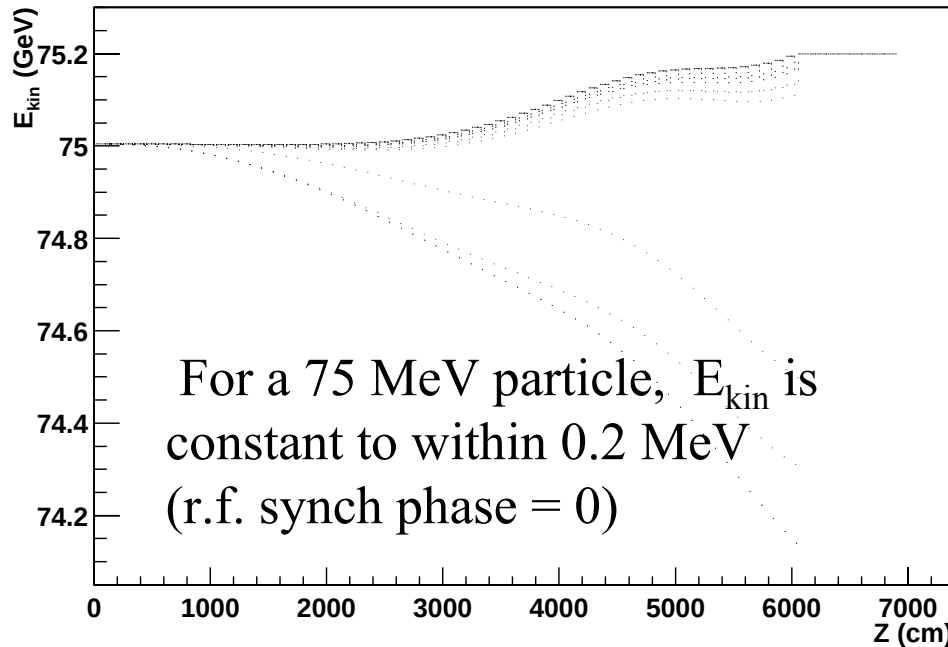


60 cells lattice, unit cell is 1 m long:

Solenoid, 70 cm in radius, 2 cm thick, 85 cm long with 15 cm gaps, $B_z = 1.25$ T on axis

290-180 MHz r.f. system, **Pill Box cavities**, no windows for now, V_{peak} chosen so that E_{gain} at 90° would grow quadratically from 0 to 4.8 MeV at the end of the channel (transit time considered), synch. phase is 0°

r.f. Tuning

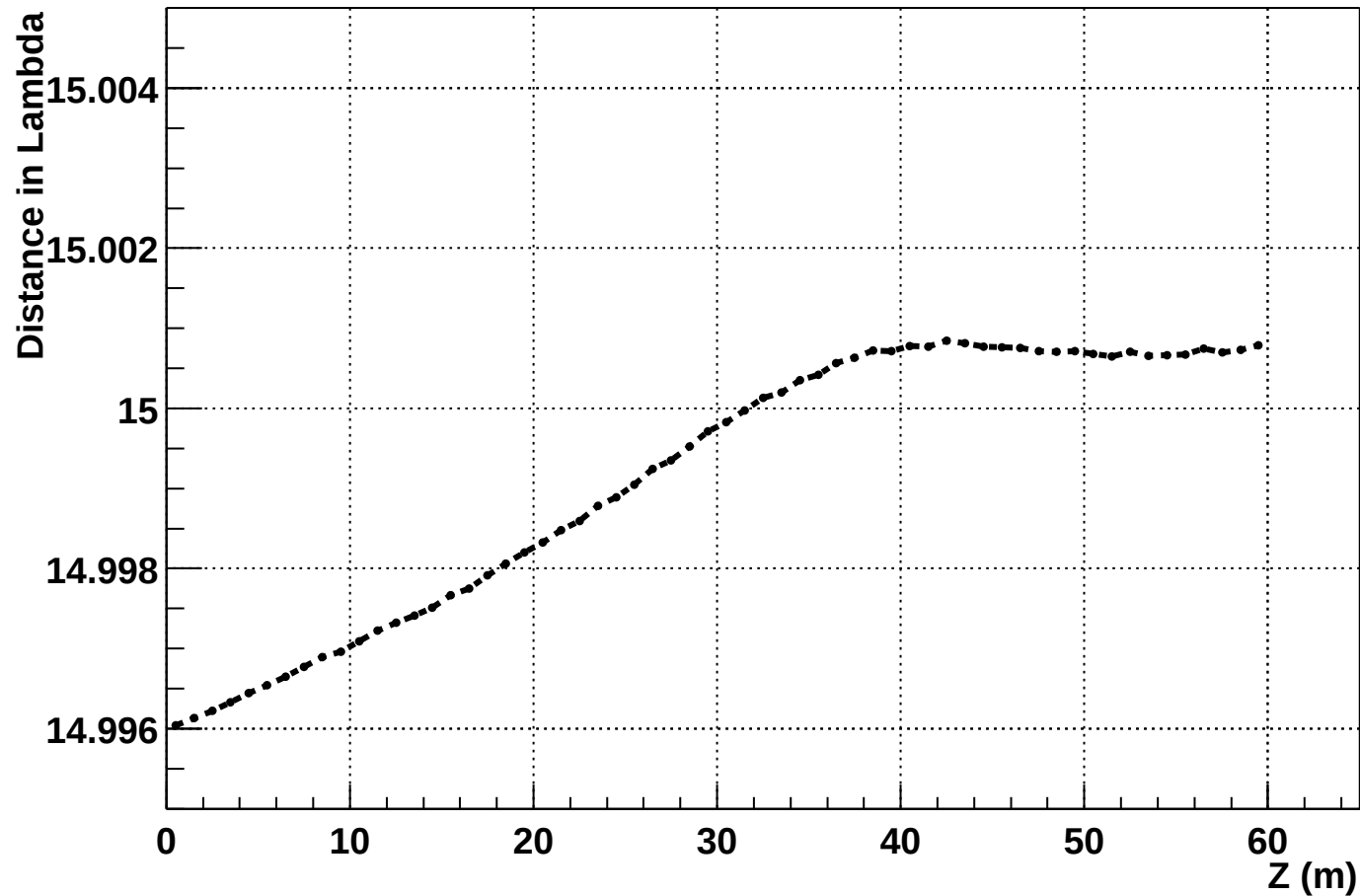


Two reference particles (at the beginning and end of the beam), $E_{\text{kin}}=75 \text{ MeV}$ & $E_{\text{kin}}=175 \text{ MeV}$, satisfying:

$$\Delta t = 15 T_{\text{r.f.}} \Rightarrow v_{\text{r.f.}} = 15 \frac{c}{d \left(\frac{1}{\beta_{75}} - \frac{1}{\beta_{175}} \right)}$$

$v_{\text{r.f.}} =$
290-180 MHz
 d : dist. to origin

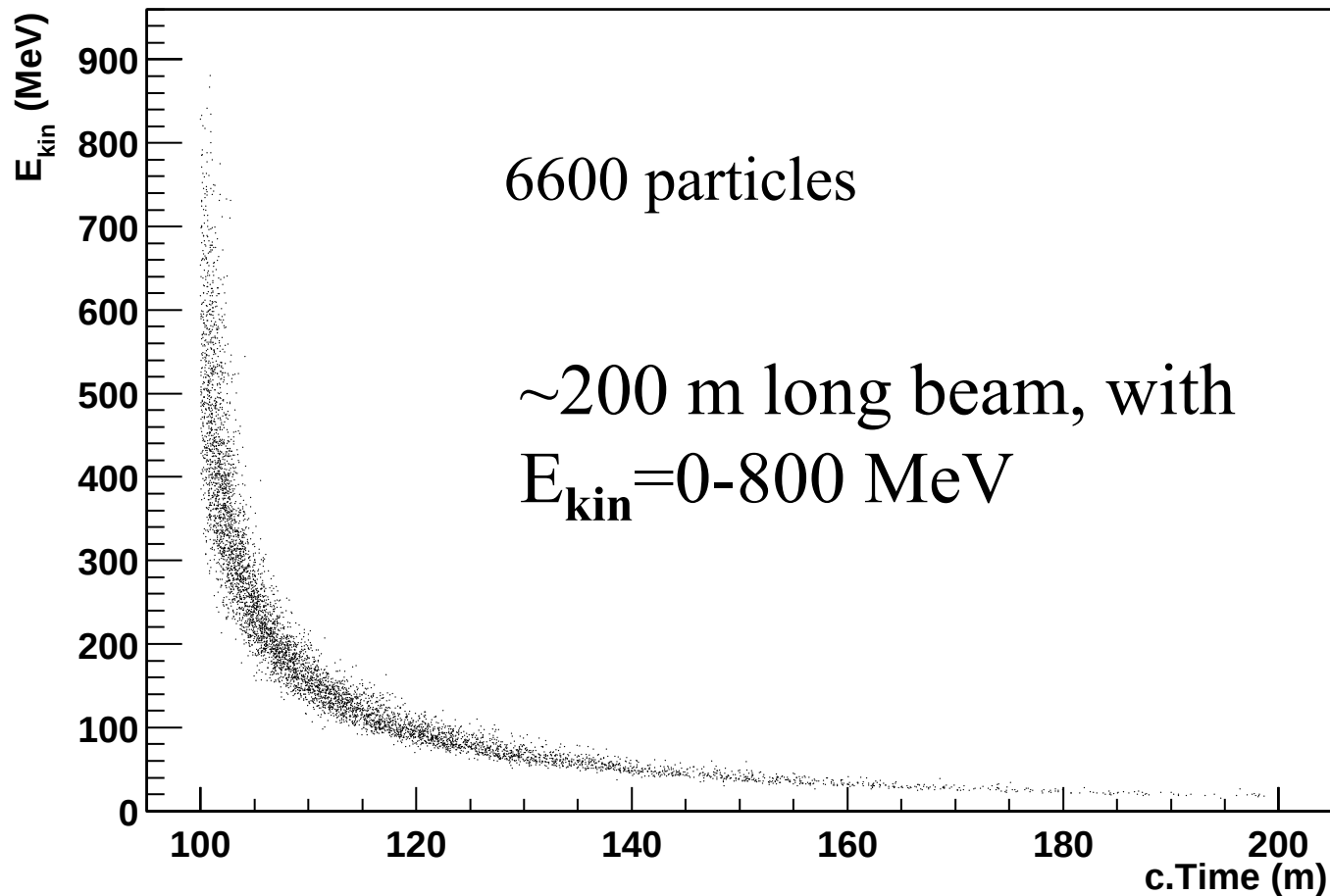
r.f Tuning (cont)



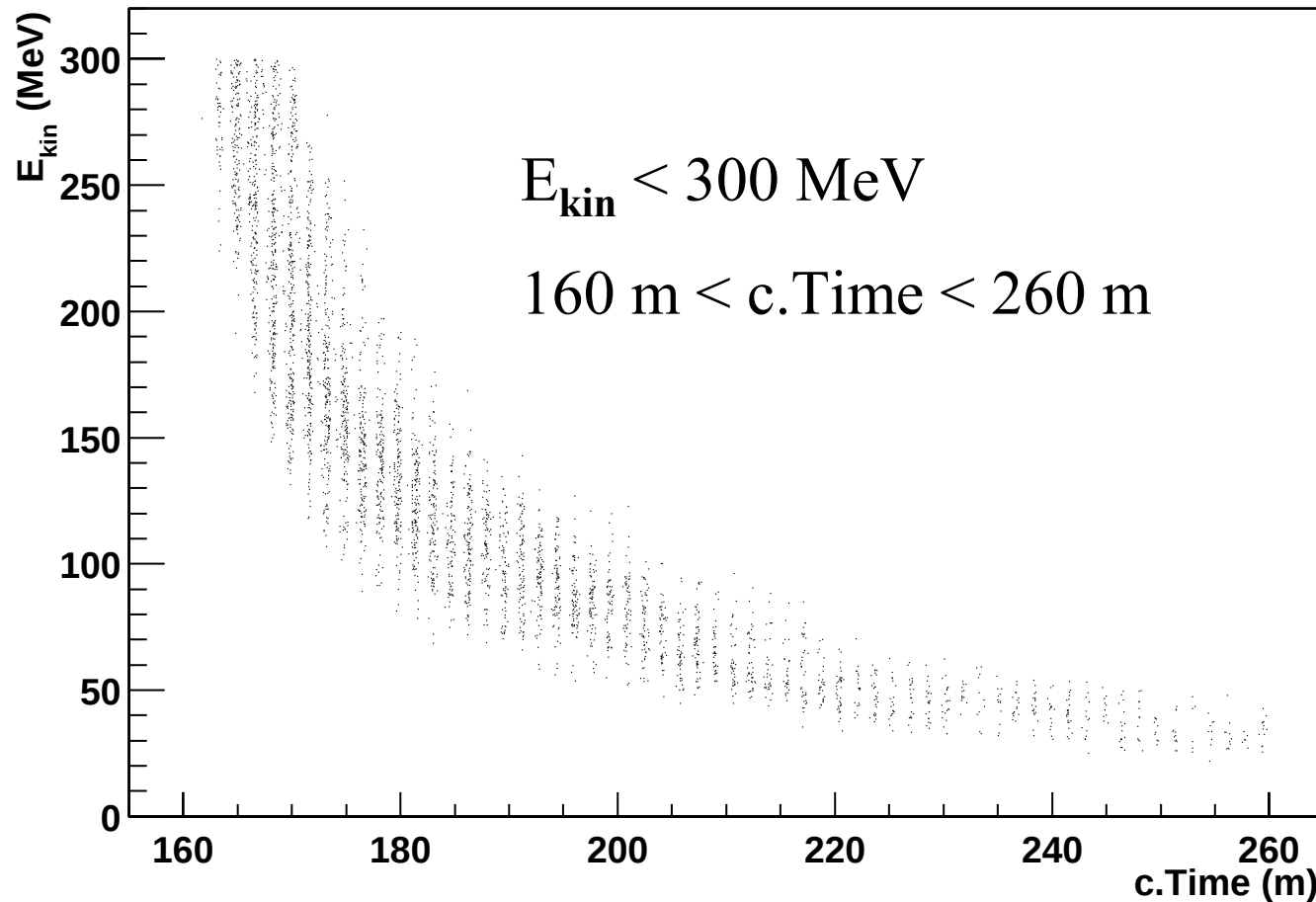
Distance between reference particles is 15 r.f. wave-lengths to within 0.02%

Results

Initial beam for the buncher: Study II beam (Hg target, 20 T capture solenoid, 99 m drift



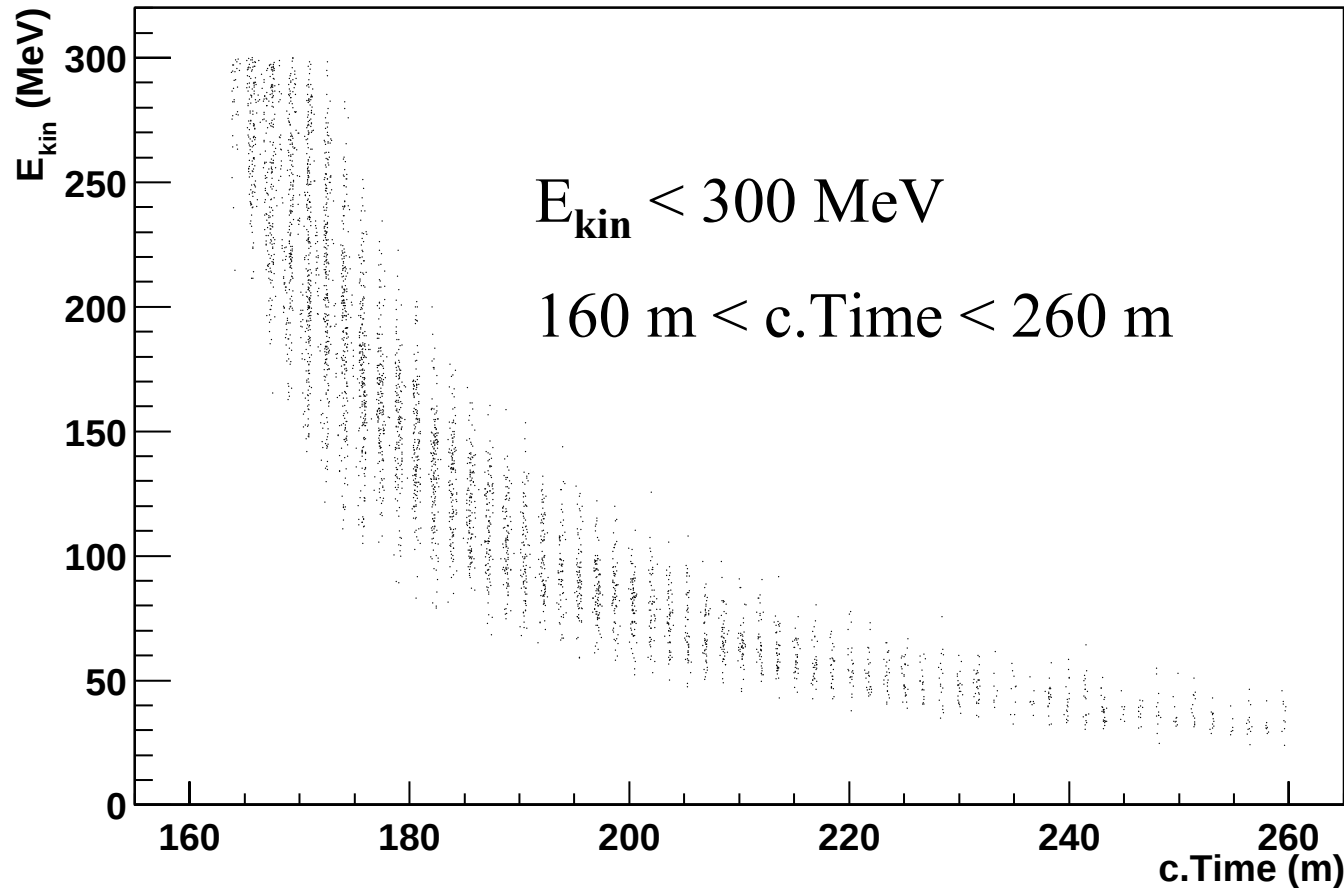
Results: case (i)



64.6% of the particles survive at the end of the buncher within the E_{kin} , c.Time interval. The bunch structure is apparent.

Results: D. Neuffer's

1D simulation using uniform magnetic field and thin cavities

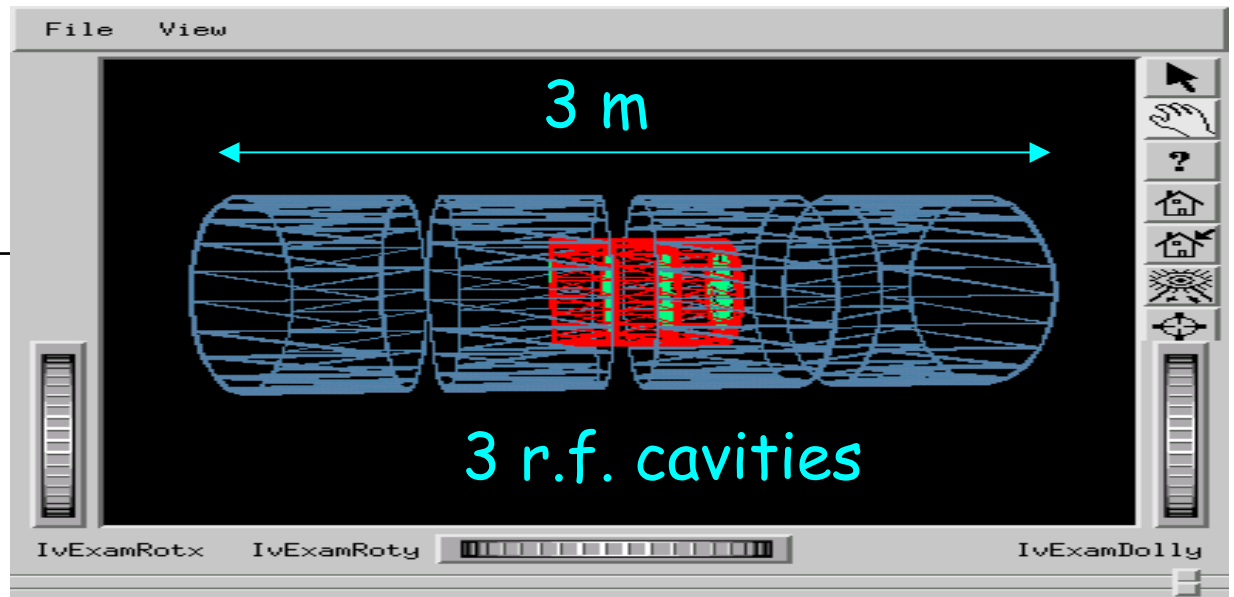
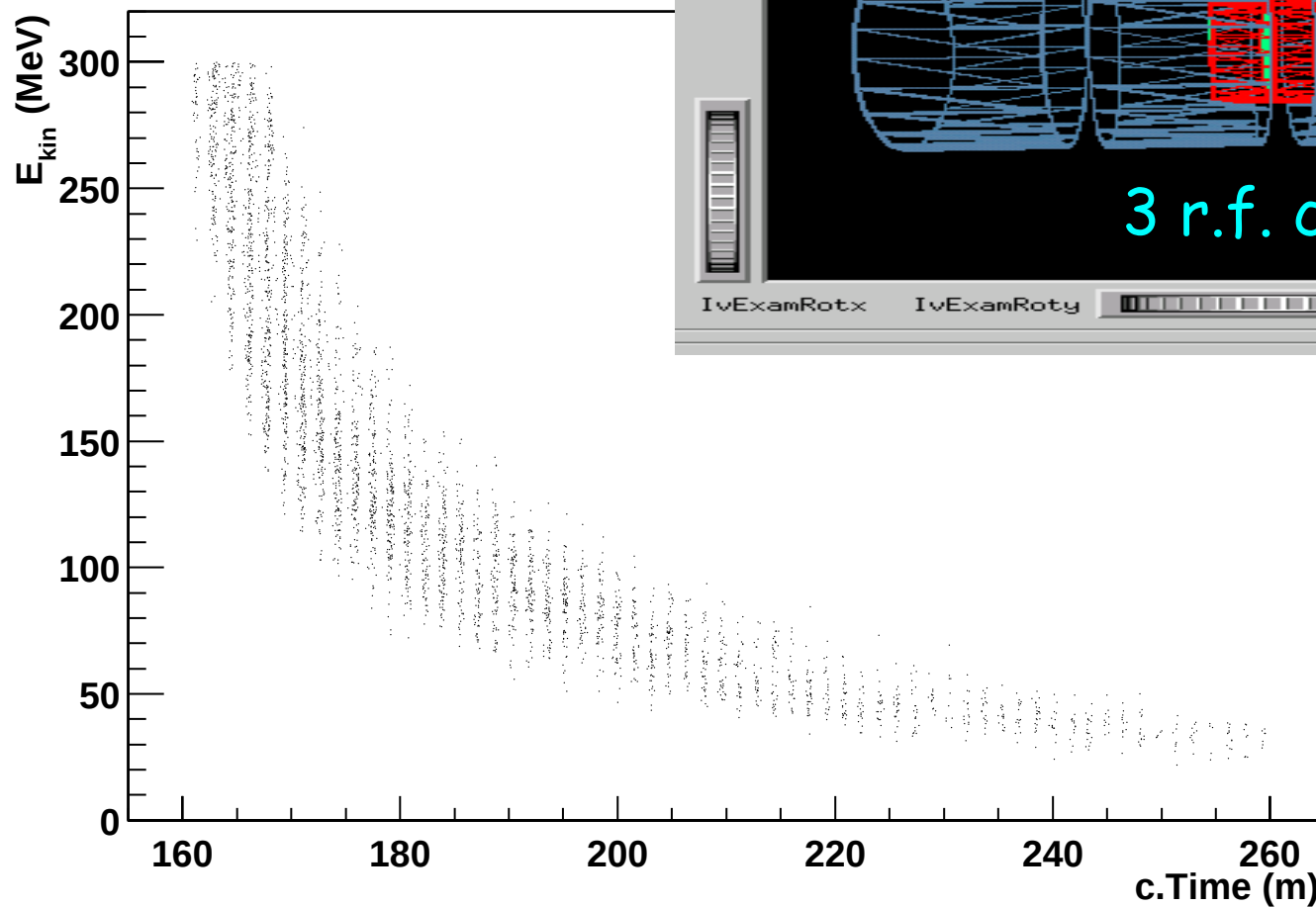


62.3 % of the particles survive at the end of the buncher

Results: case (ii)

$$E_{\text{kin}} < 300 \text{ MeV}$$

$$160 \text{ m} < \text{c.Time} < 260 \text{ m}$$



Only 20
frequencies
and voltages.

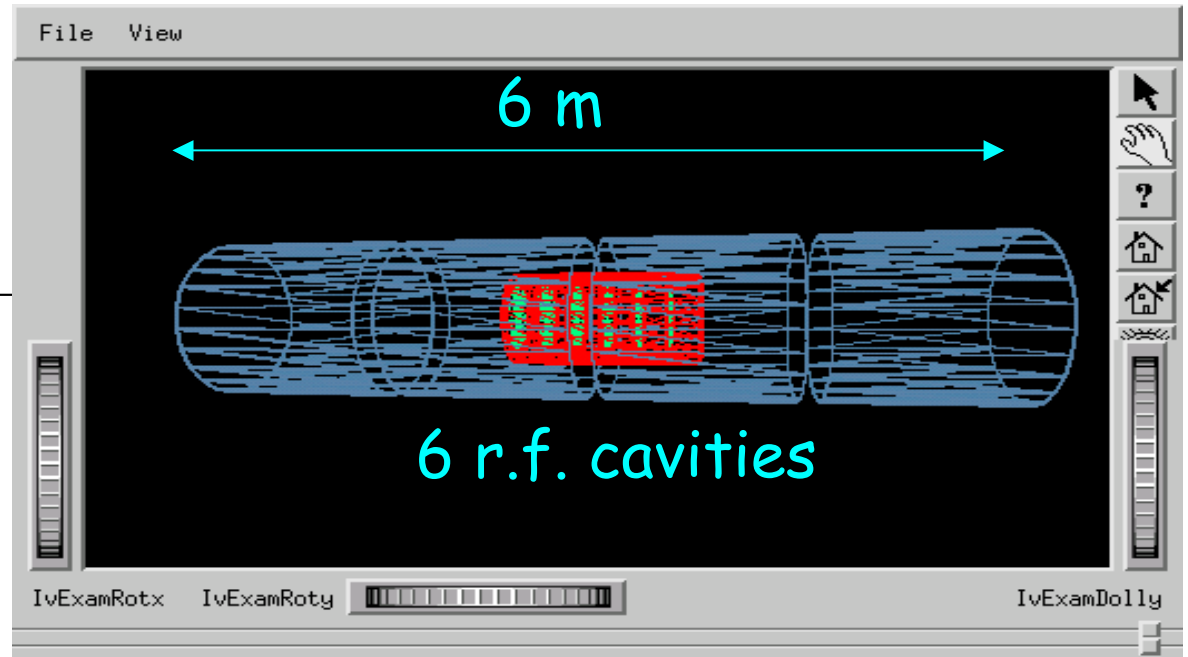
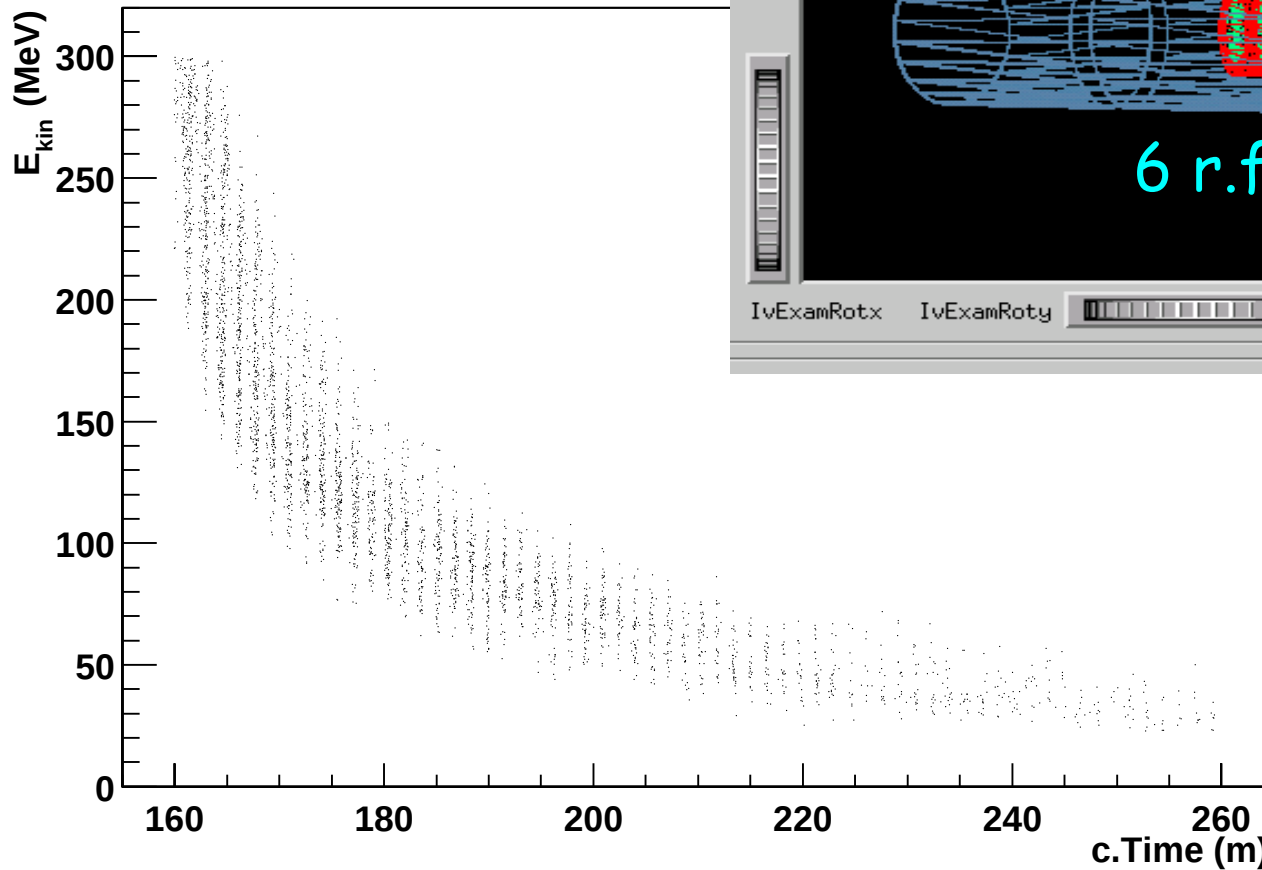
(20 equidistant
linacs made of
3 cells)

64.9 % of the particles survive at the end of the buncher

Results: case (iii)

$$E_{\text{kin}} < 300 \text{ MeV}$$

$$160 \text{ m} < c.\text{Time} < 260 \text{ m}$$



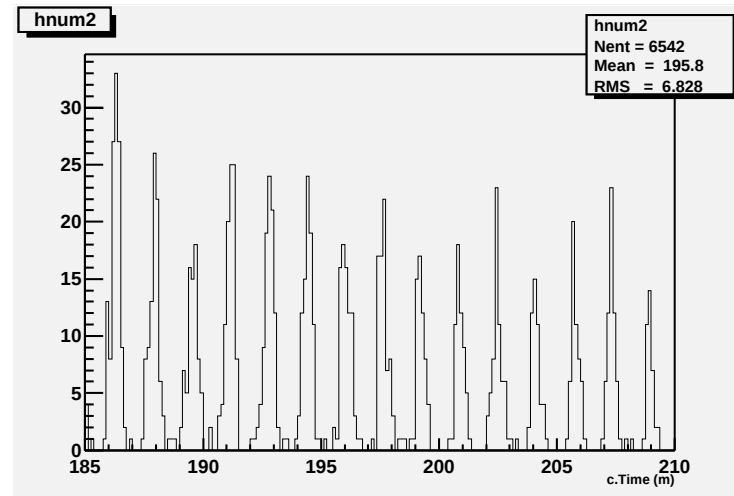
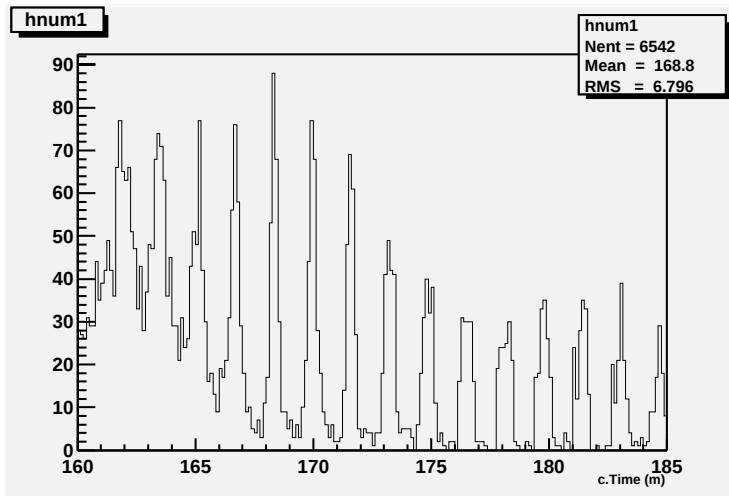
Only 10
frequencies and
voltages.

(10 equidistant
linacs made of 6
cells)

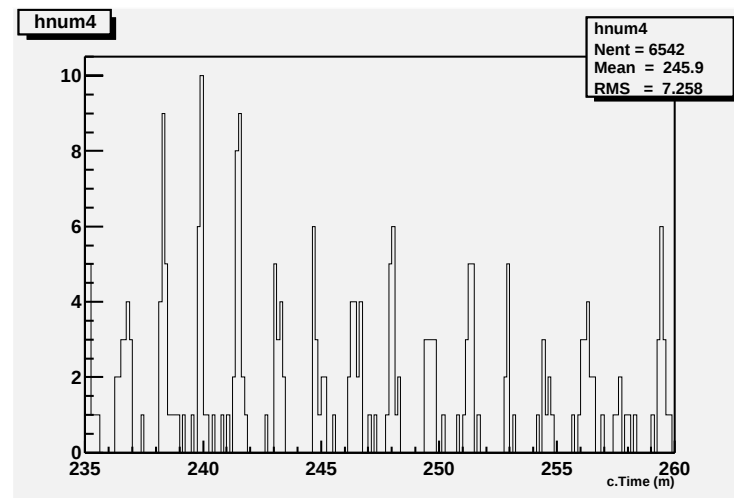
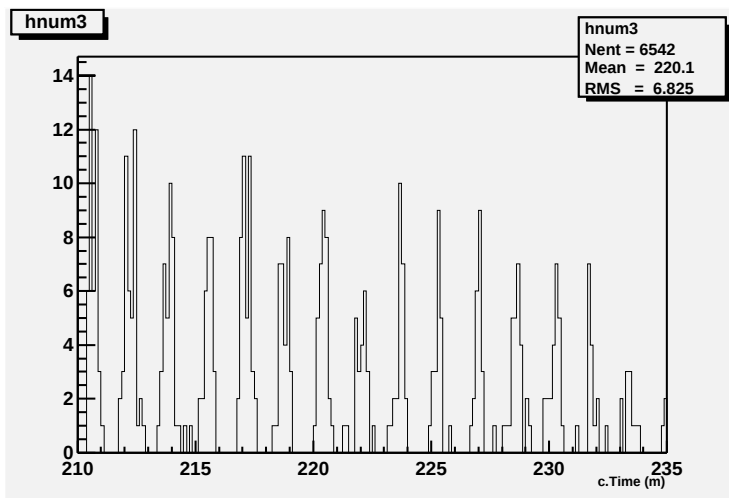
62.2 % of the particles survive at the end of the buncher.

Results: case (i)

Number of particles versus c.Time



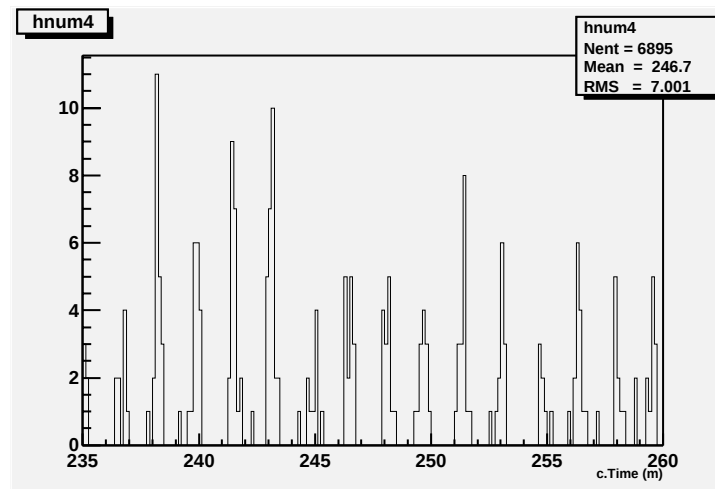
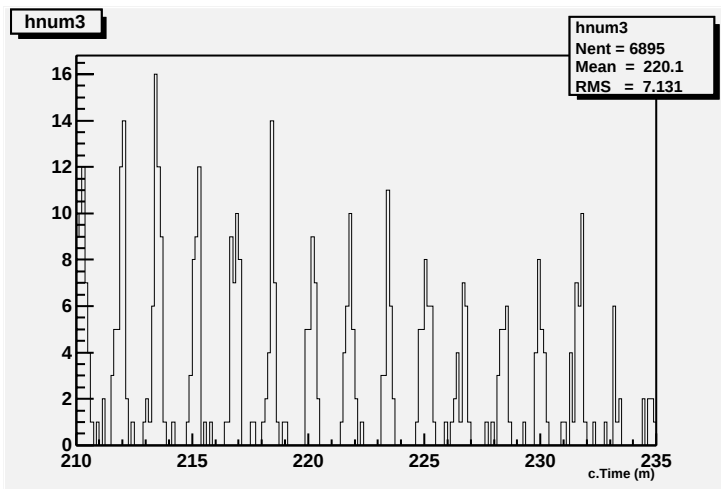
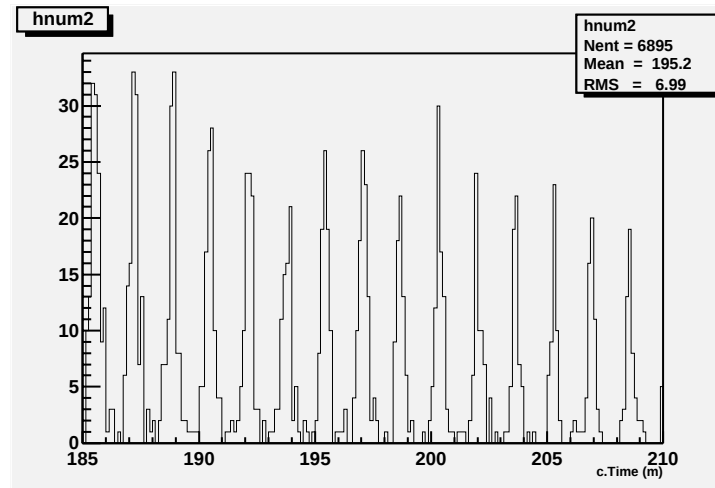
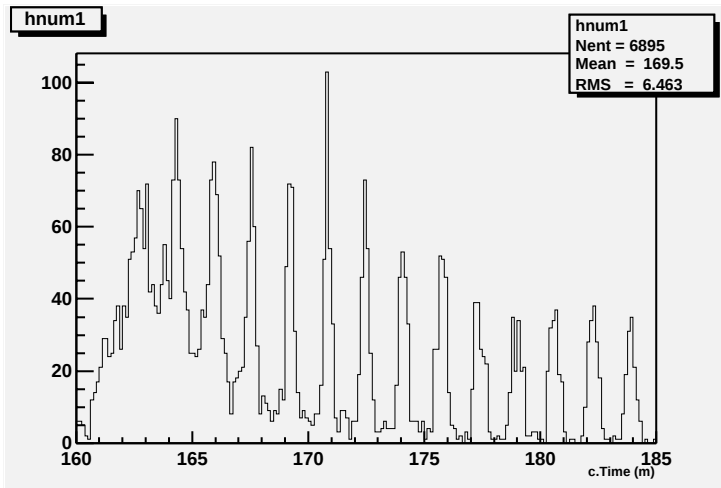
100 m
of well
defined
bunches



Time delay between bunches is $c.\Delta t \sim 1.63$ m

Results: Neuffer's

Number of particles versus c.Time

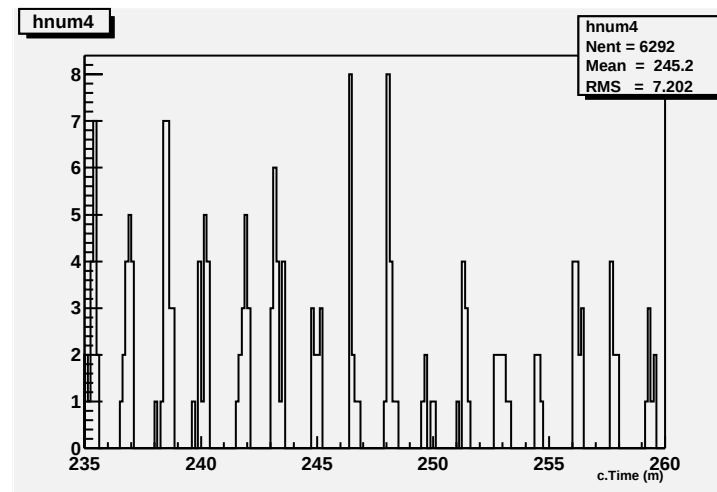
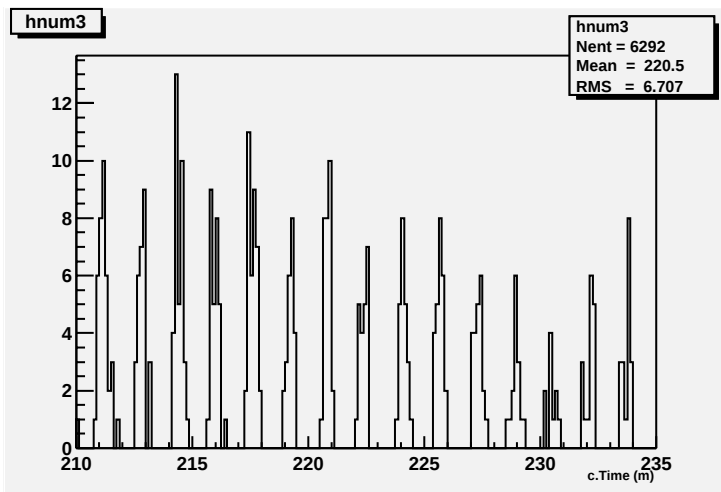
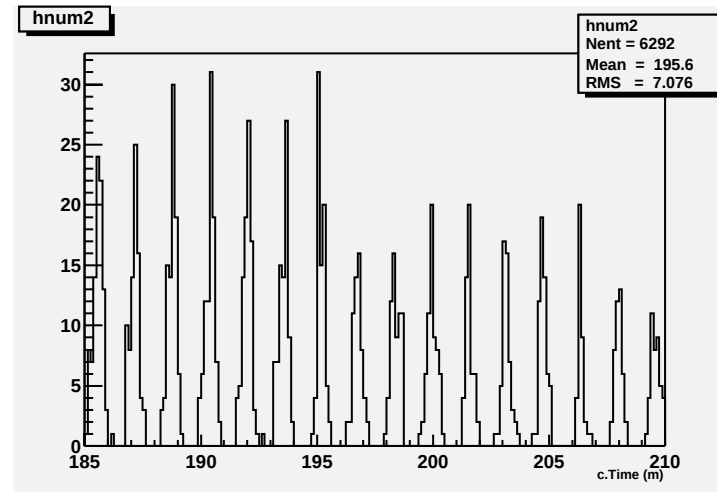
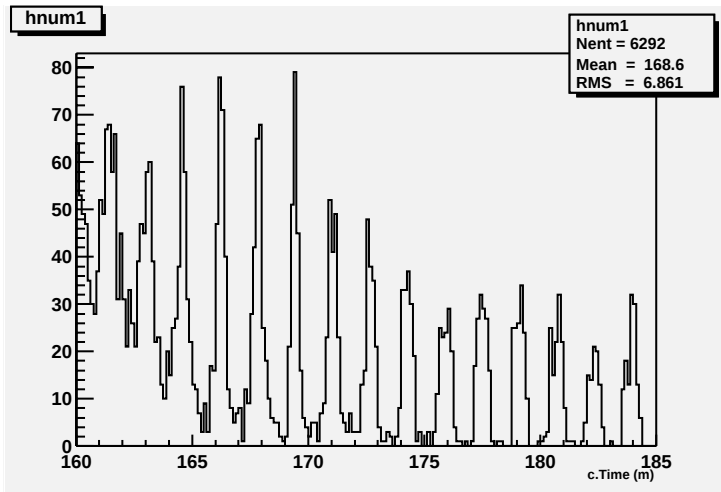


Excellent
qualitative
agreement
with (i)

Bunches separated approximately 1.64 m

Results: case (ii)

Number of particles versus c.Time



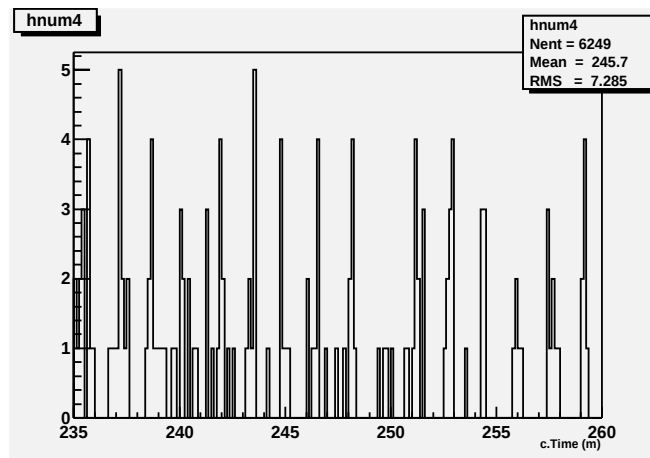
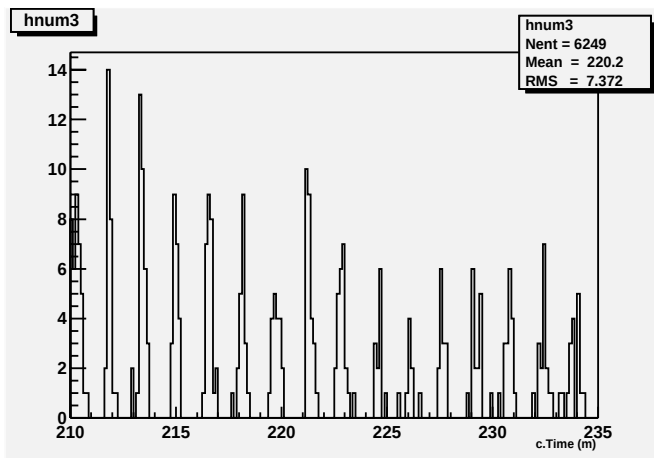
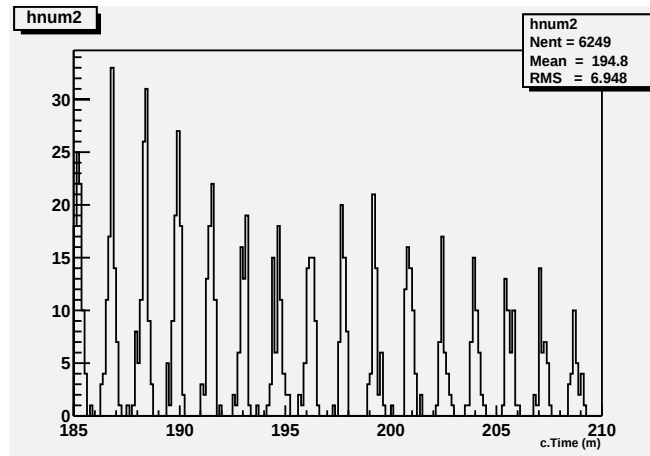
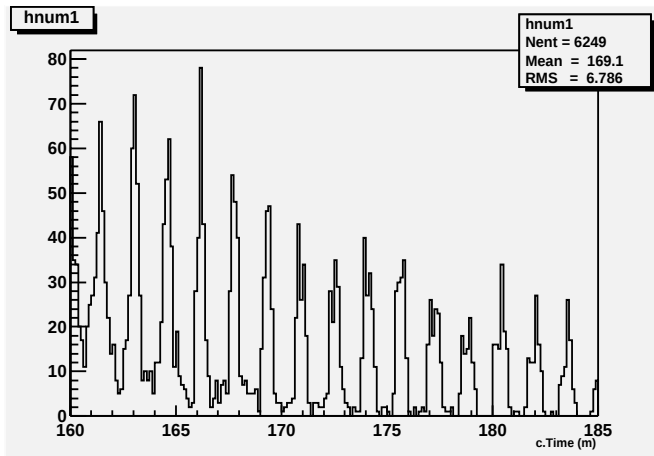
Better
bunch
structure
at high
energies,

[compared
with (i)]

Bunches separated approximately 1.61 m

Results: case (iii)

Number of particles versus c.Time



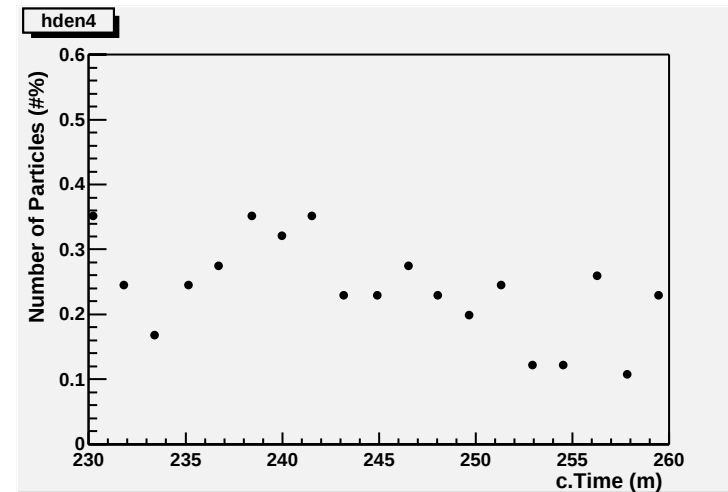
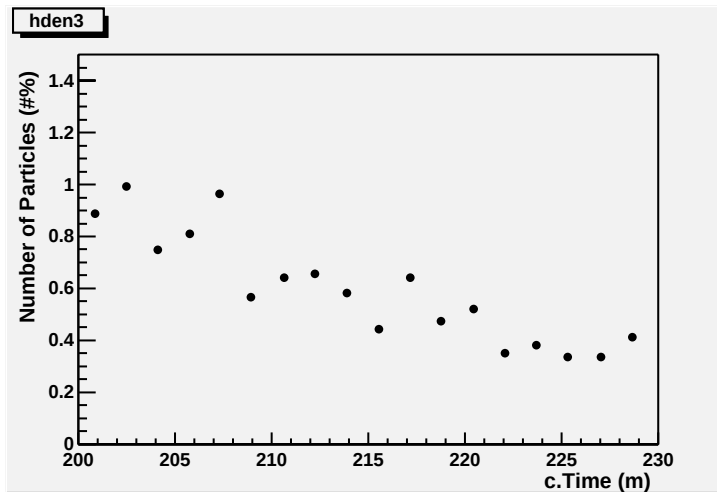
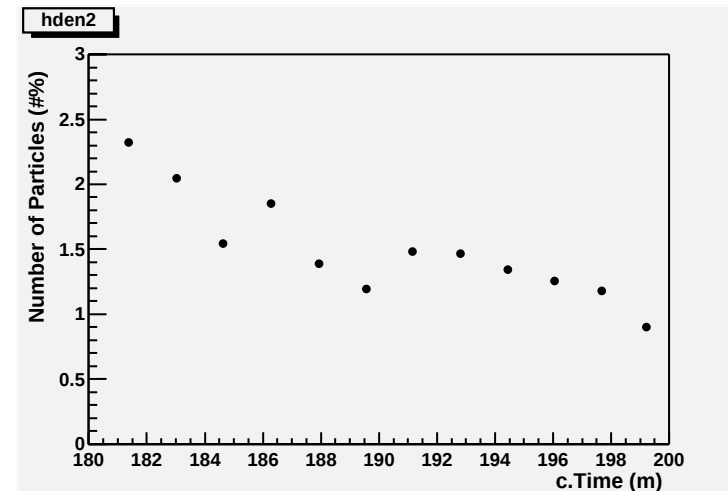
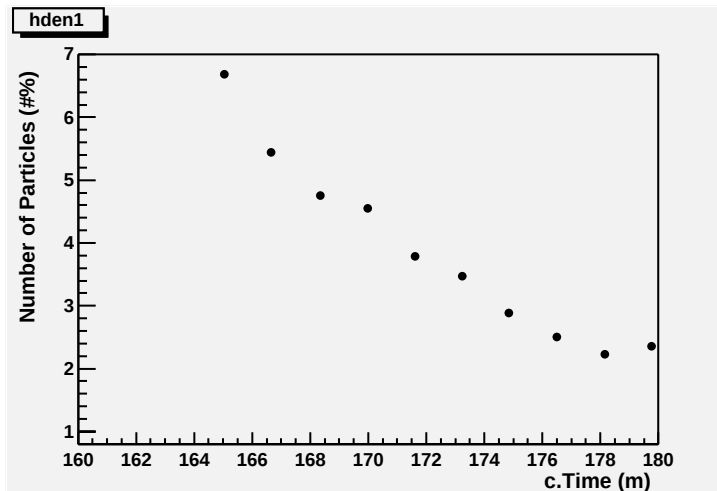
Bunch structure
at low energy is
fading

Still good
performance
(most particles
are in the high
energy range)

Bunches separated approximately 1.58 m

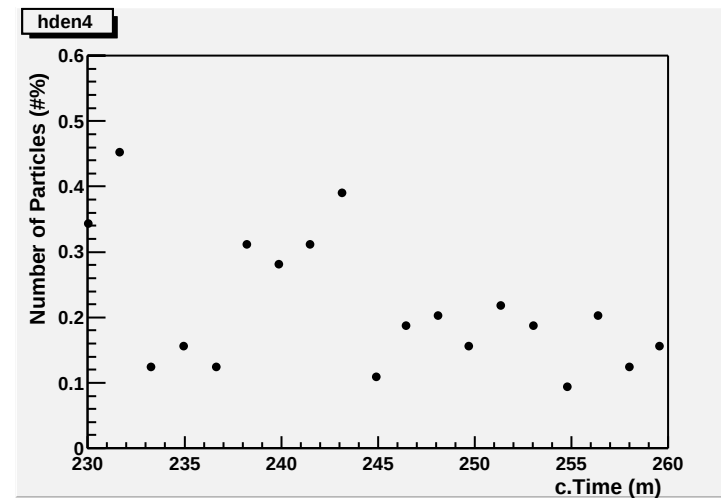
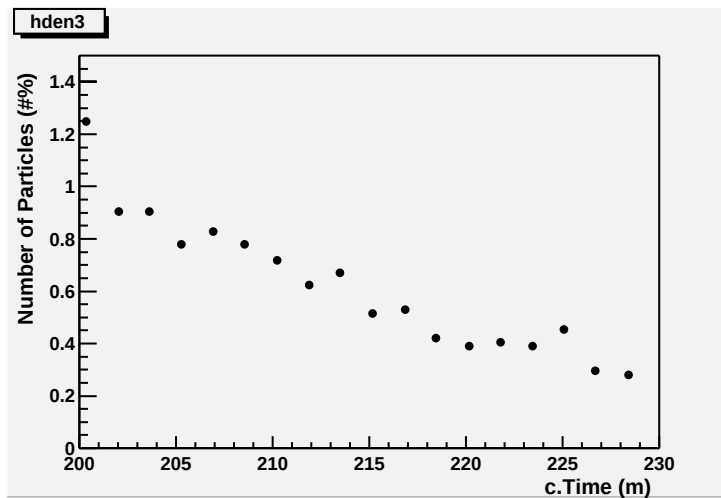
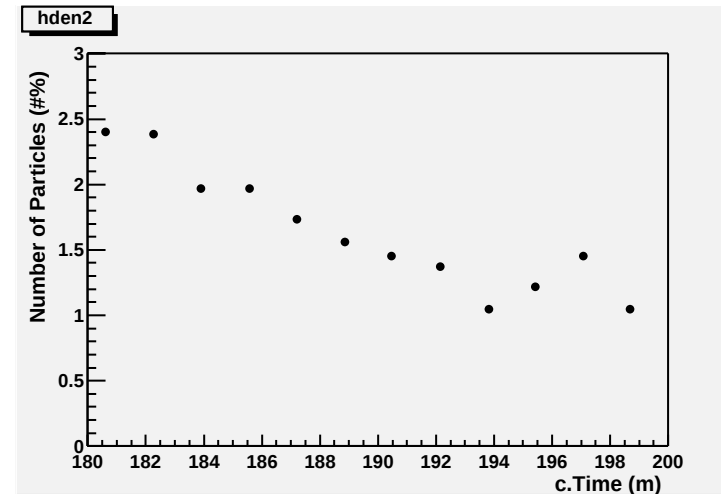
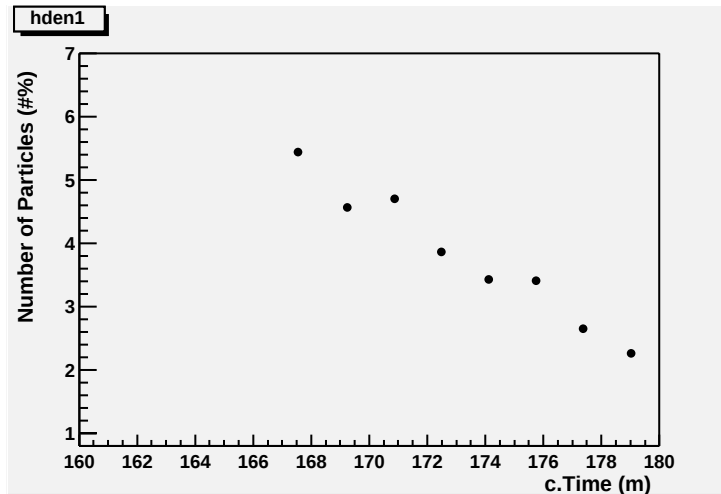
Results: case (i)

Fraction of particles in each bunch between 6% for bunch at 166 m and 0.1-0.25% at 260 m



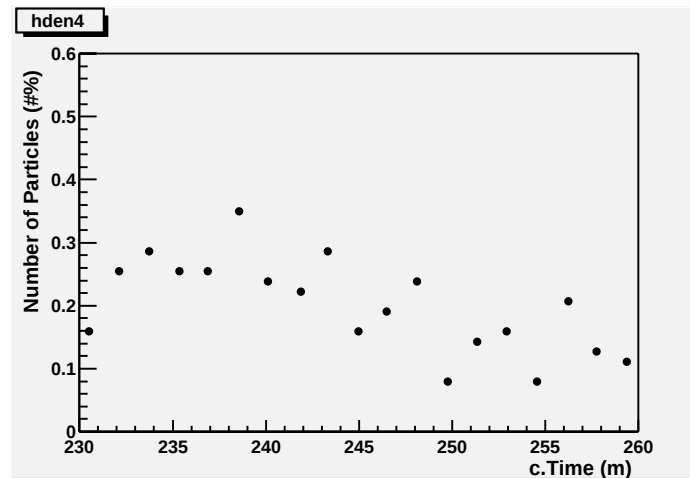
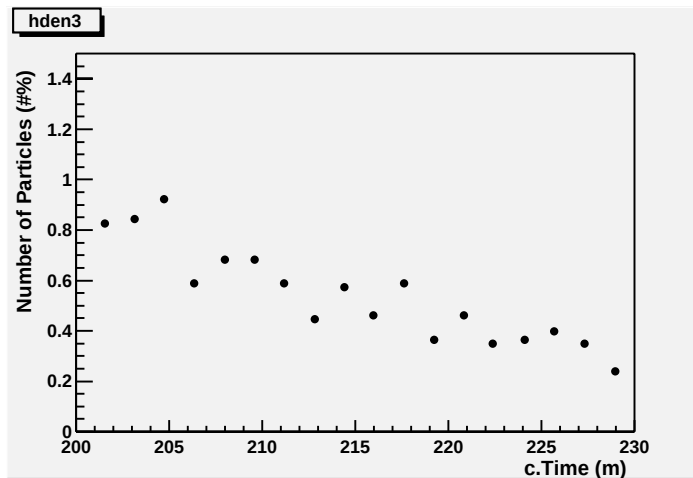
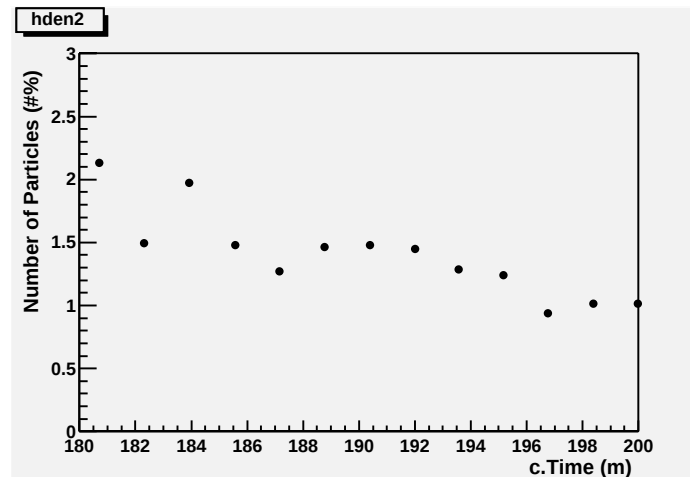
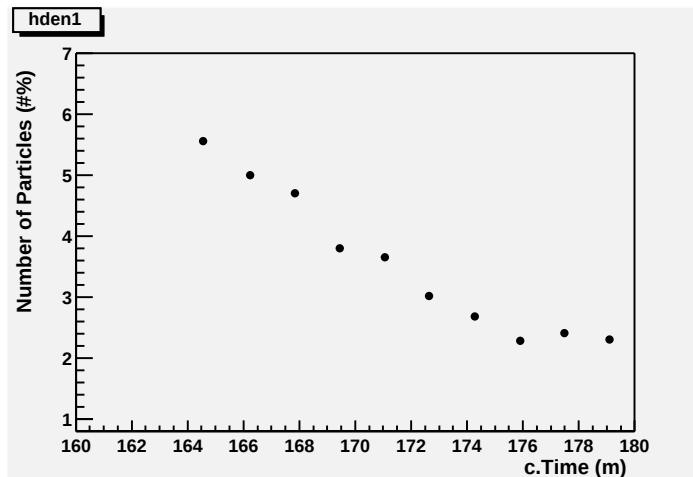
Results: Neuffer's

Fraction of particles in each bunch basically identical to (i).



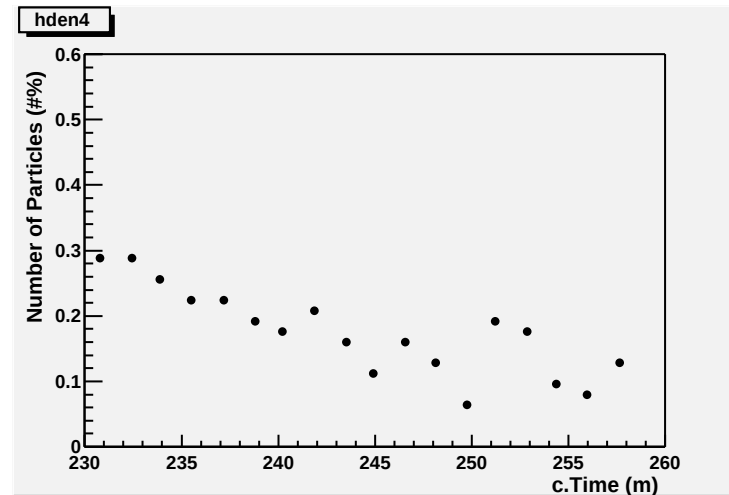
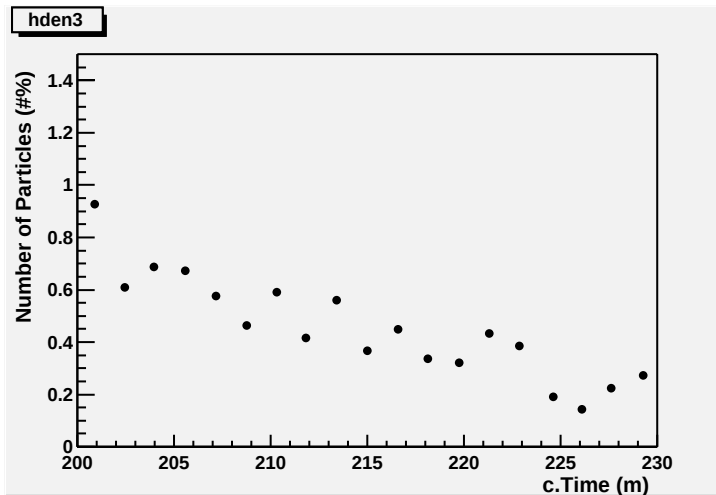
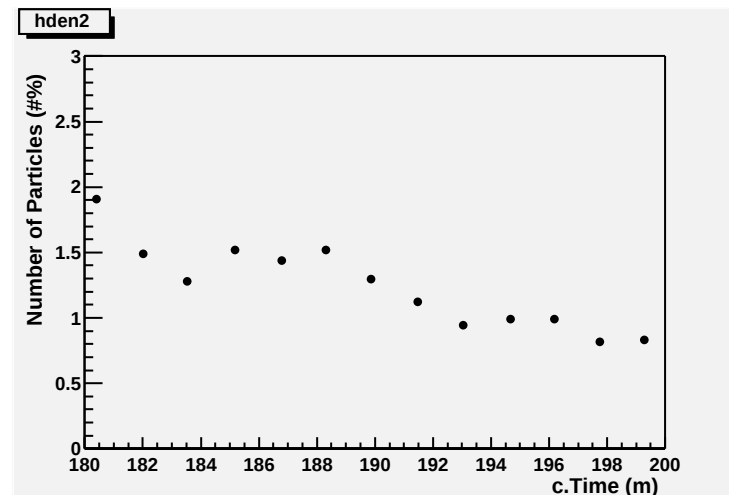
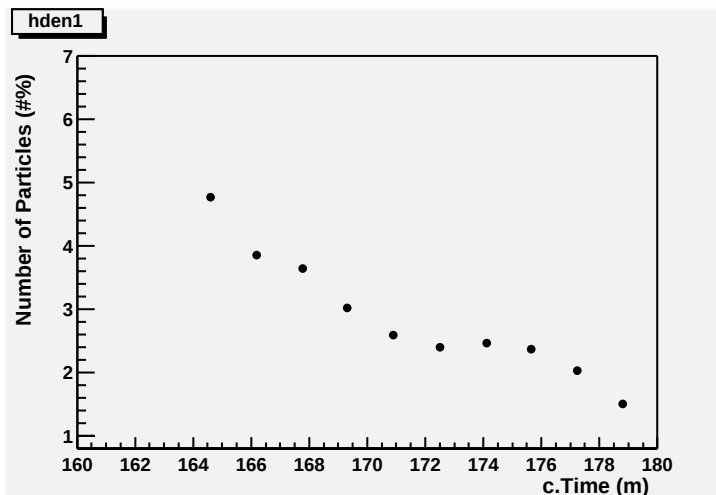
Results: case (ii)

Fraction of particles in each bunch. Better bunch structure at higher energies than for (i), 5% for bunch at 166 m



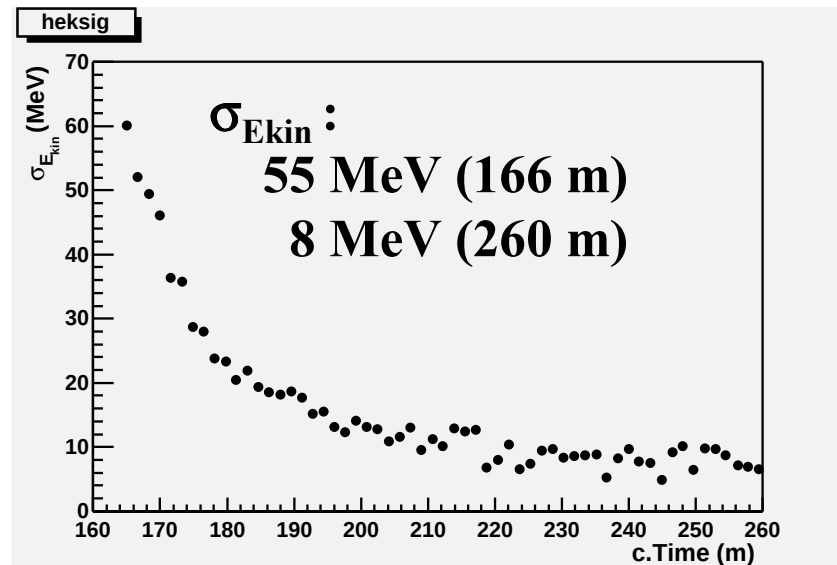
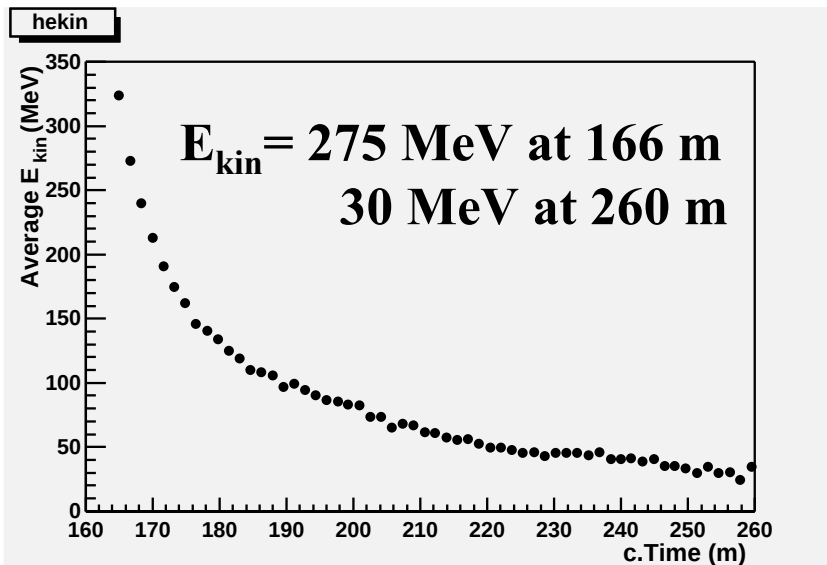
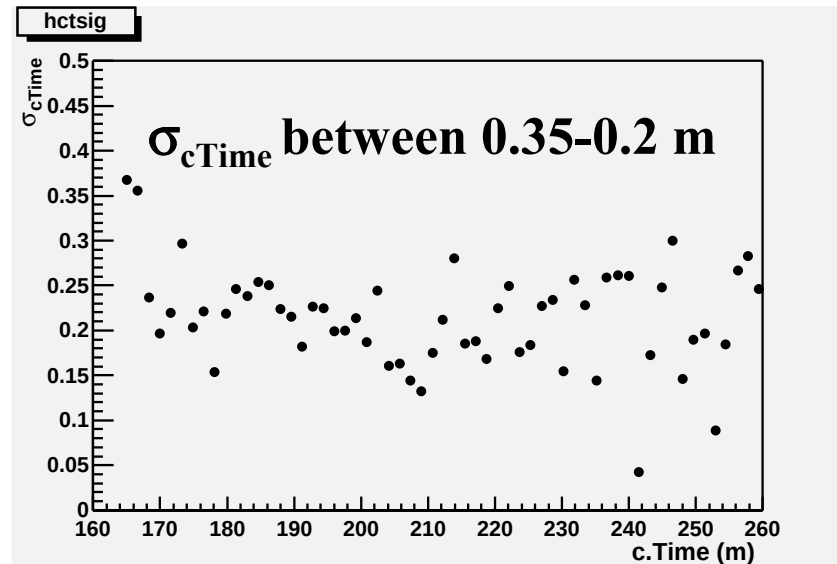
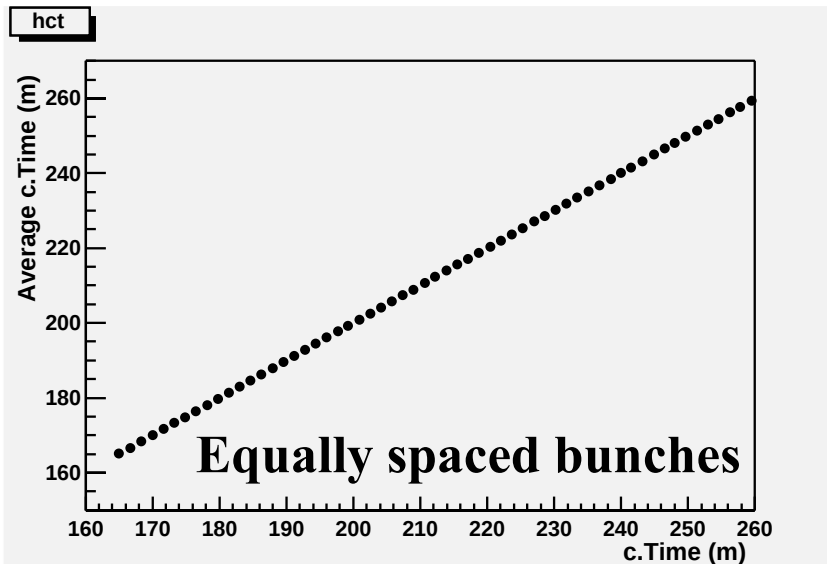
Results: case (iii)

Fraction of particles in each bunch. Lower density: 4.8 % for bunch at 166 m, 0.1% at 260 m. Bunch structure good at high energies but fading away at low energies.

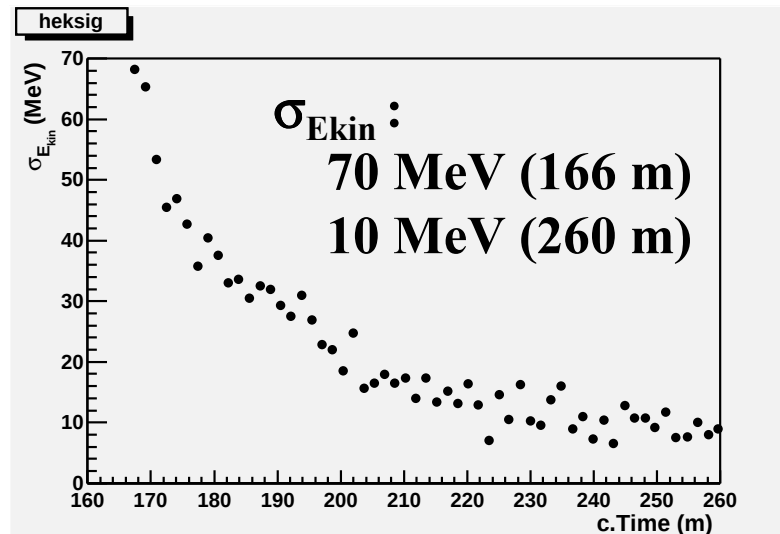
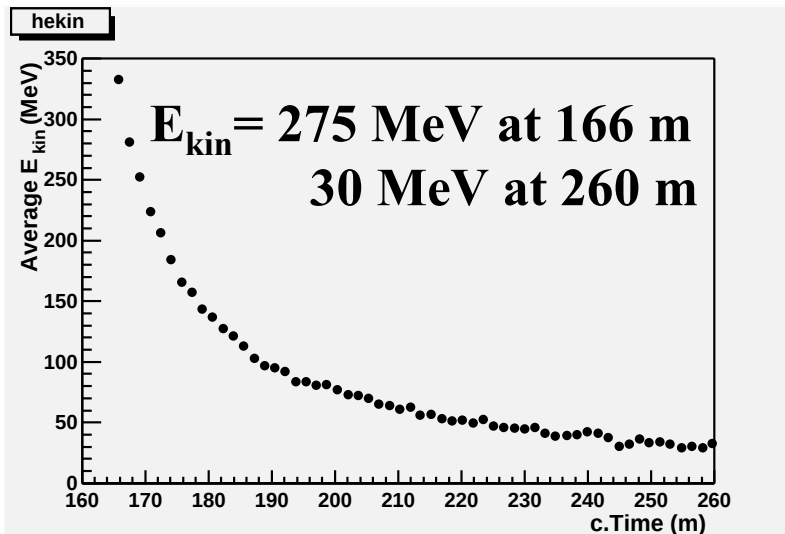
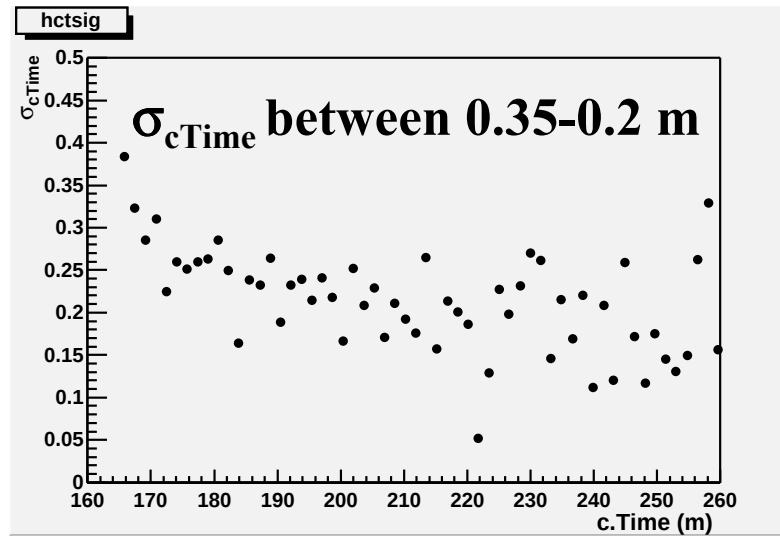
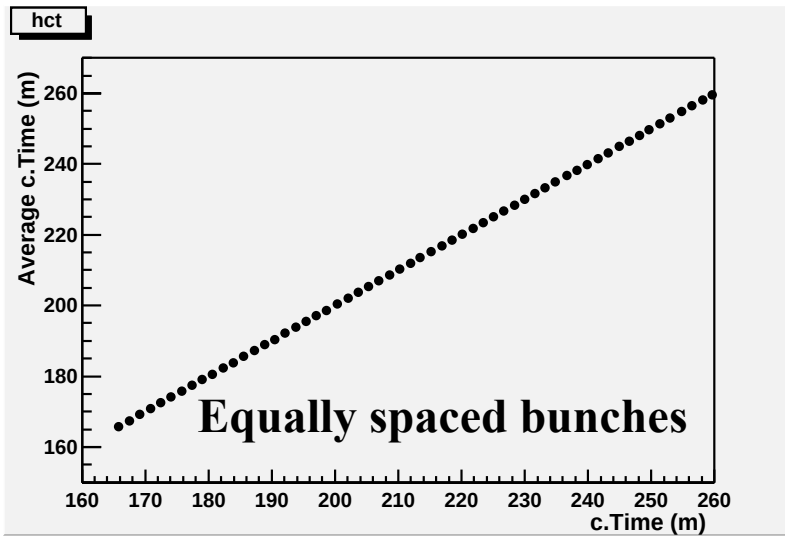


Results: case (i)

Averages (E_{kin}), and sigmas (σ_{cTime} , $\sigma_{E_{\text{kin}}}$)

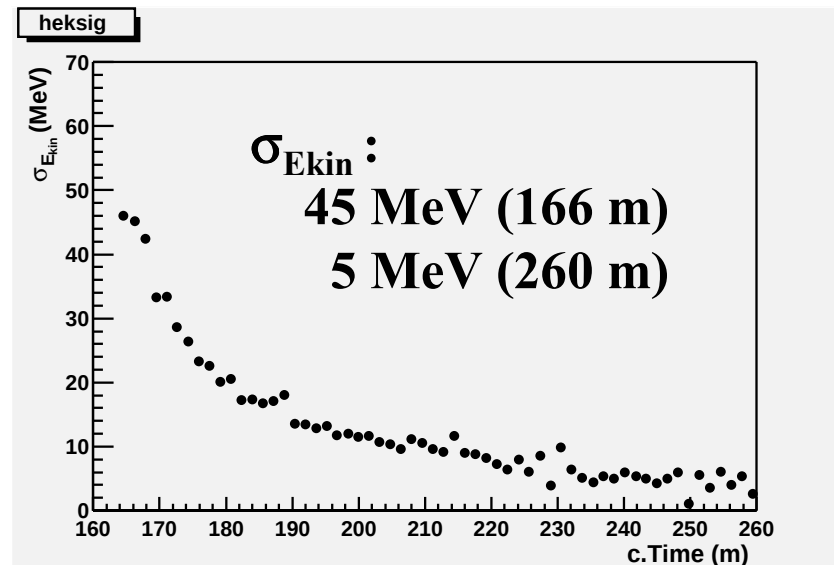
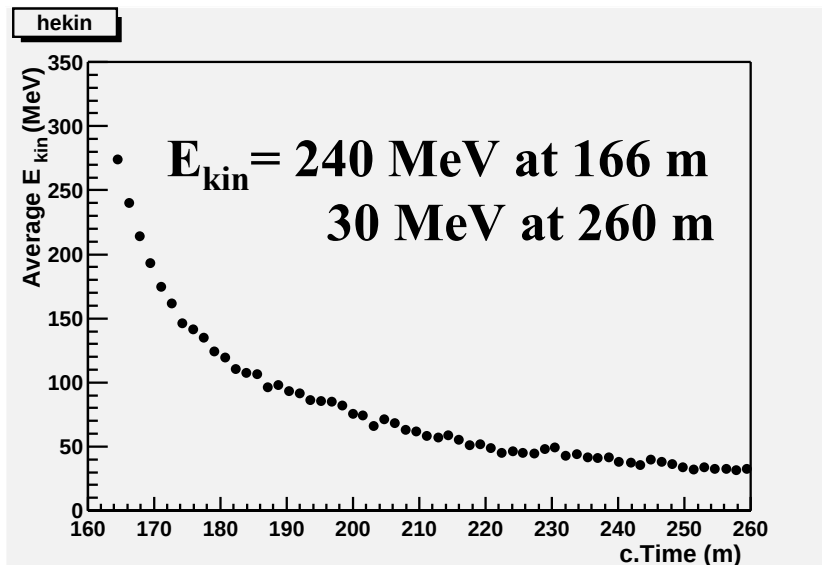
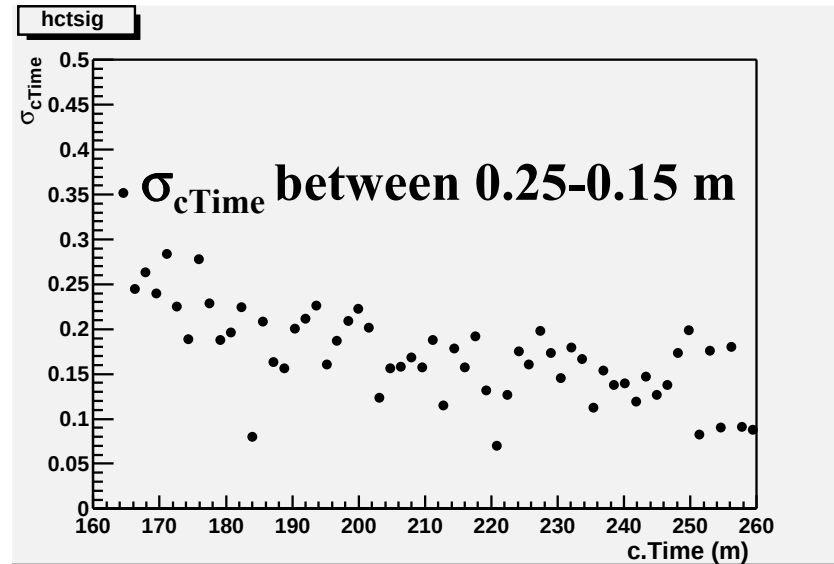
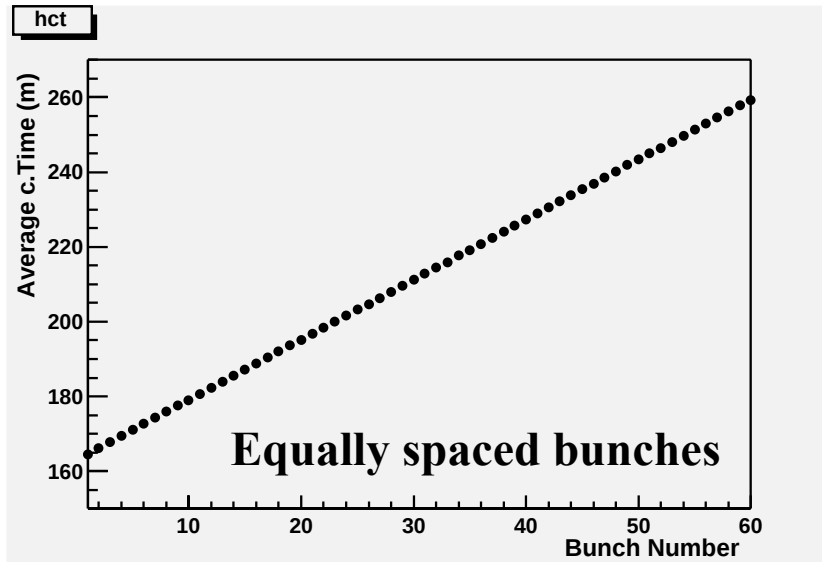


Results: Neuffer's



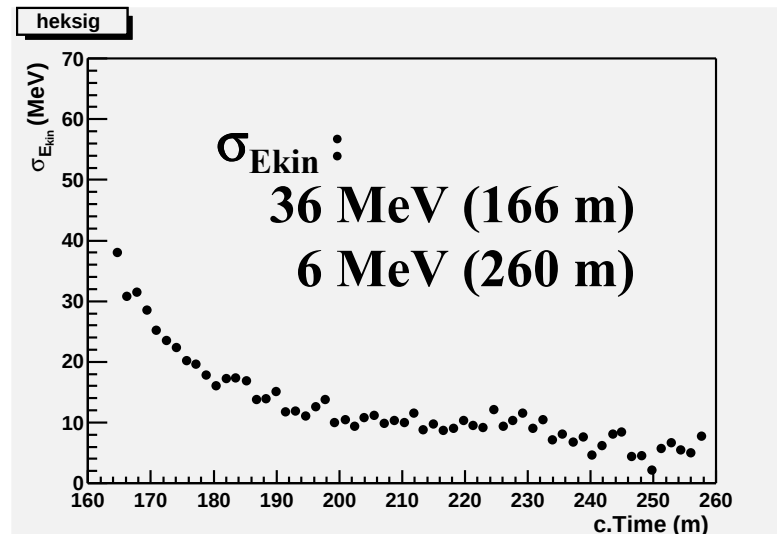
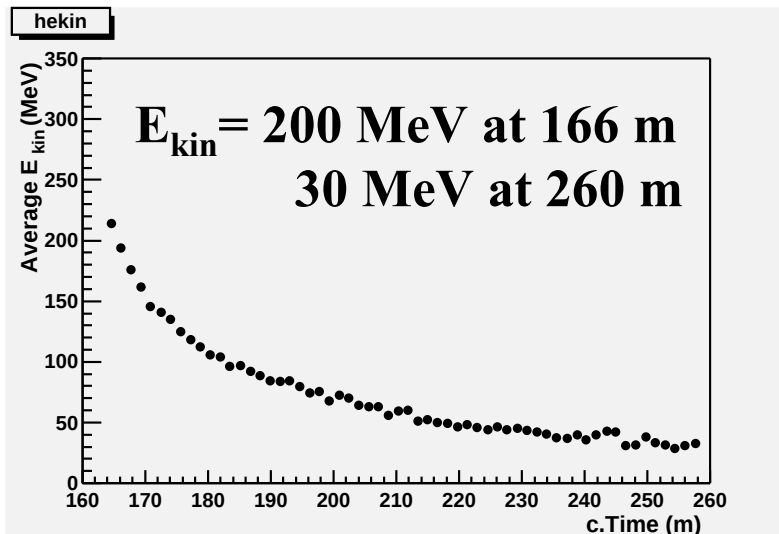
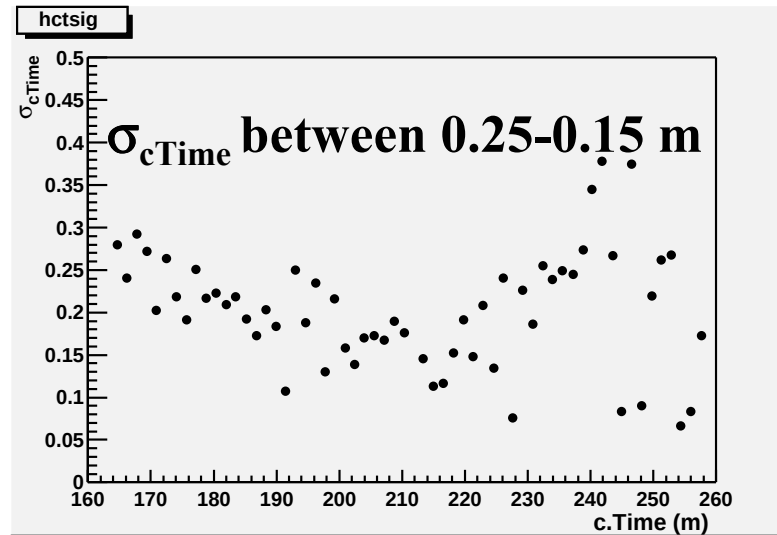
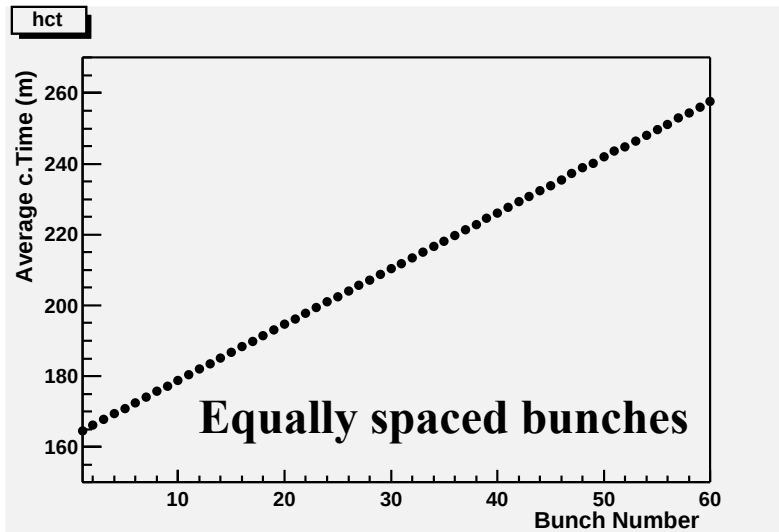
Averages (E_{kin}), and sigmas (σ_{cTime} , σ_{Ekin})

Results: case (ii)



Averages (E_{kin}), and sigmas (σ_{cTime} , $\sigma_{E_{kin}}$)

Results: case (iii)

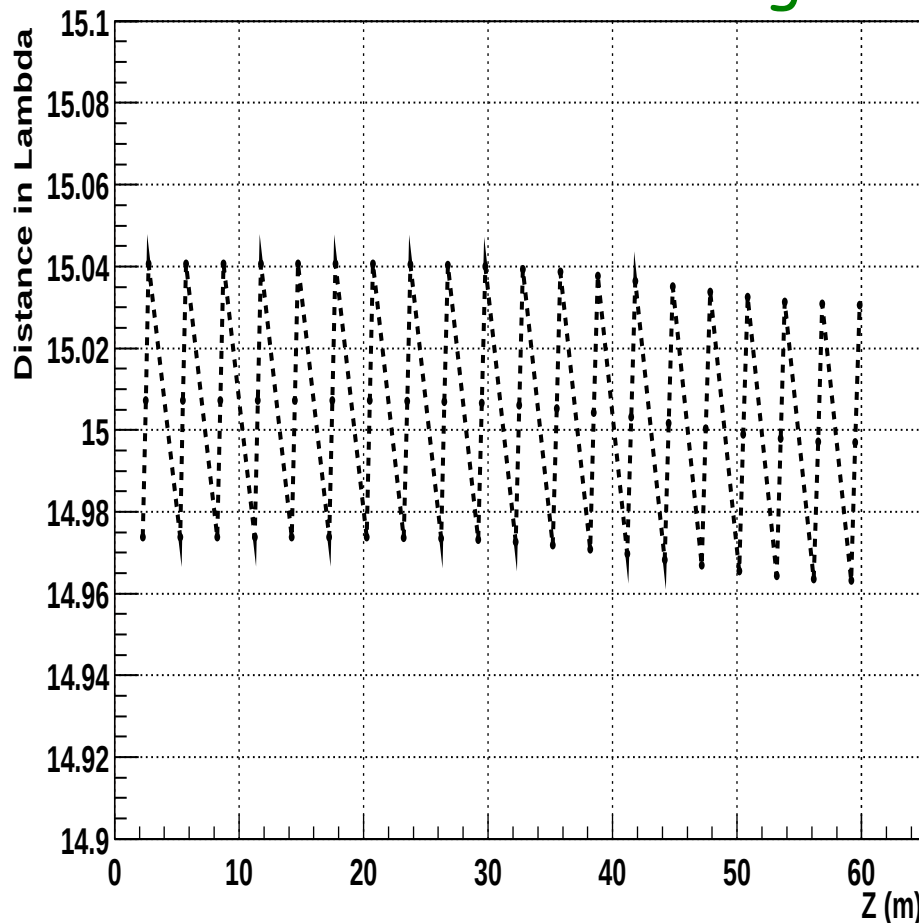


Averages (E_{kin}), and sigmas (σ_{cTime} , σ_{Ekin})

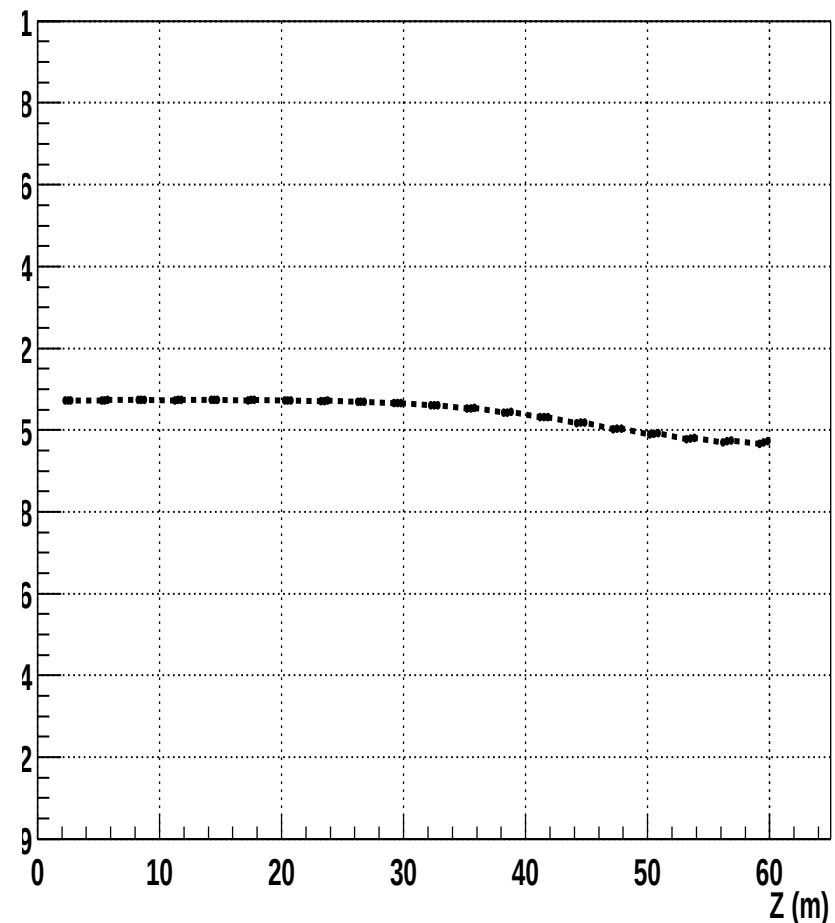
Results: case (ii)

r.f tuning : distance between the two reference particles
(75 & 175 MeV)

units of Linac wavelength



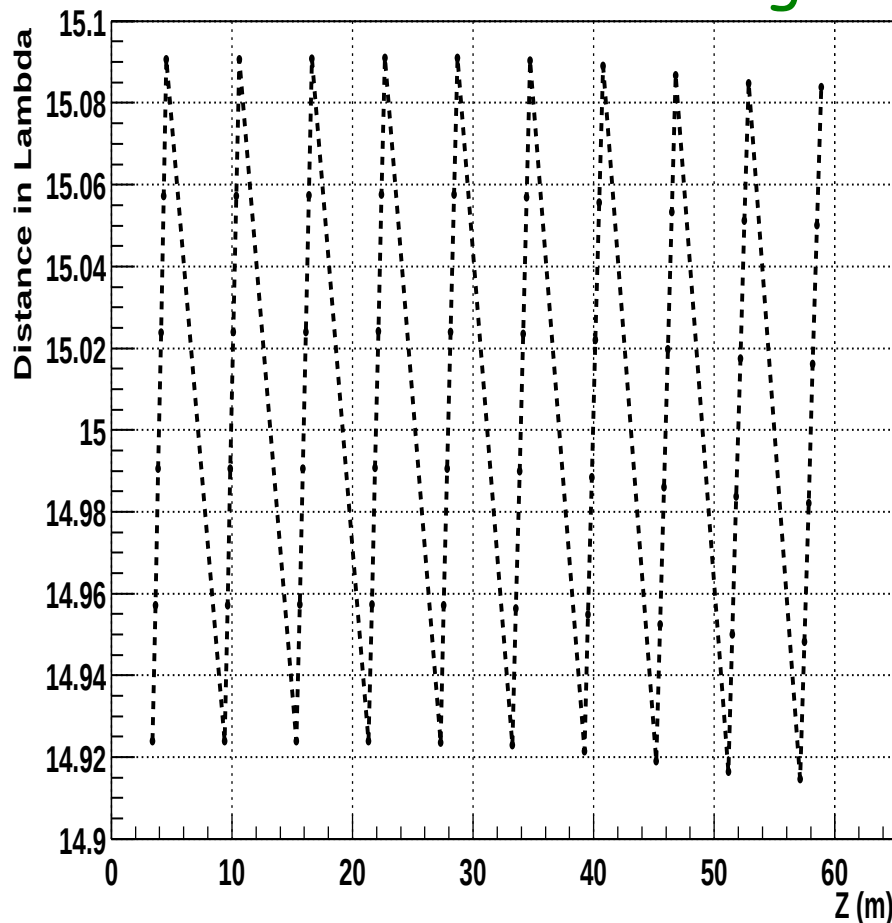
units of $v_{\text{r.f.}} = f(d, \beta_{75}, \beta_{175})$



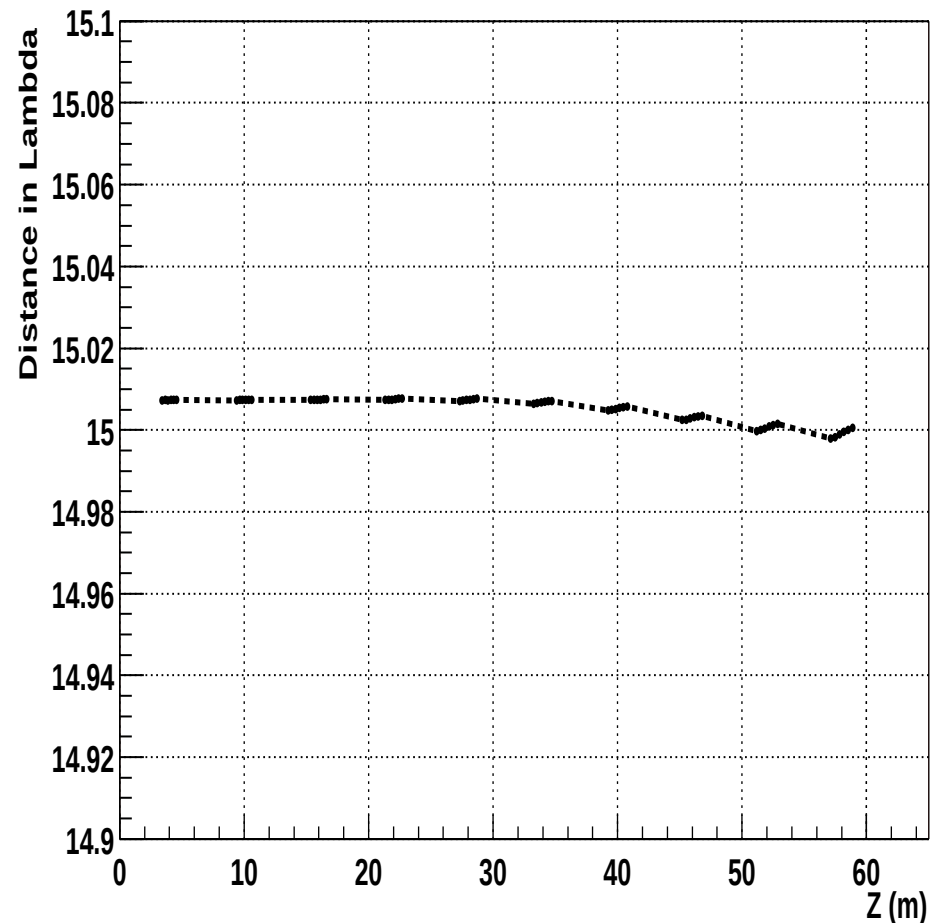
Results: case (iii)

r.f tuning : distance between the two reference particles
(75 & 175 MeV)

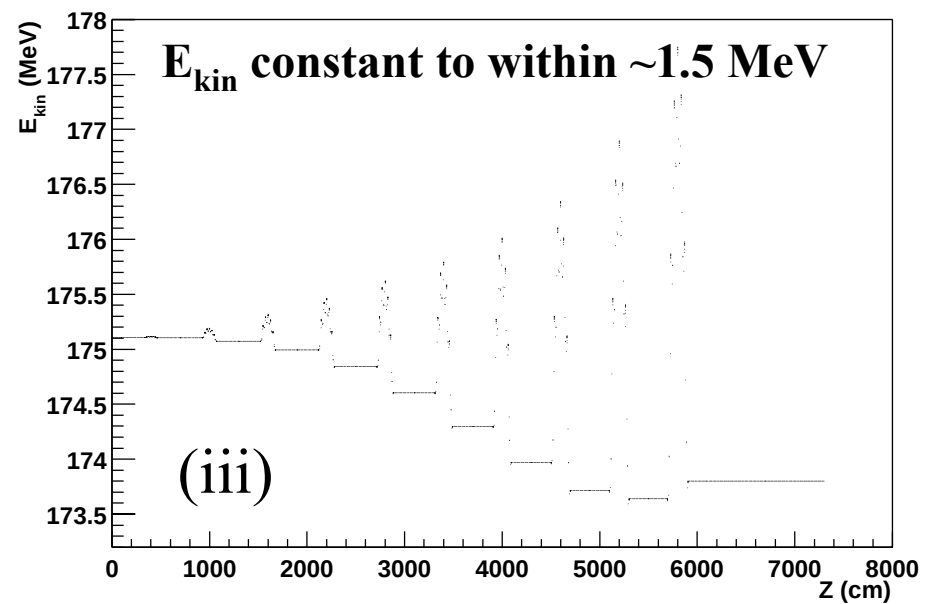
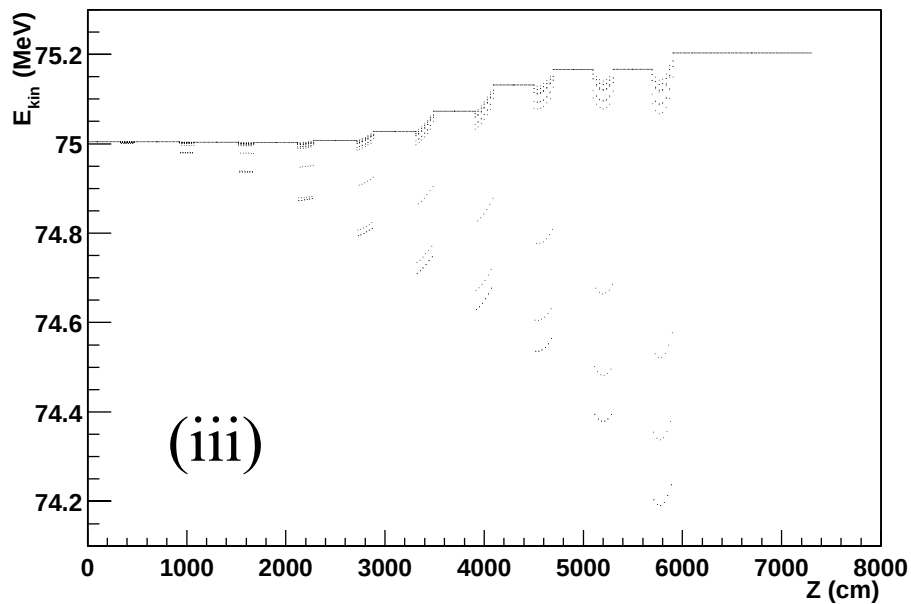
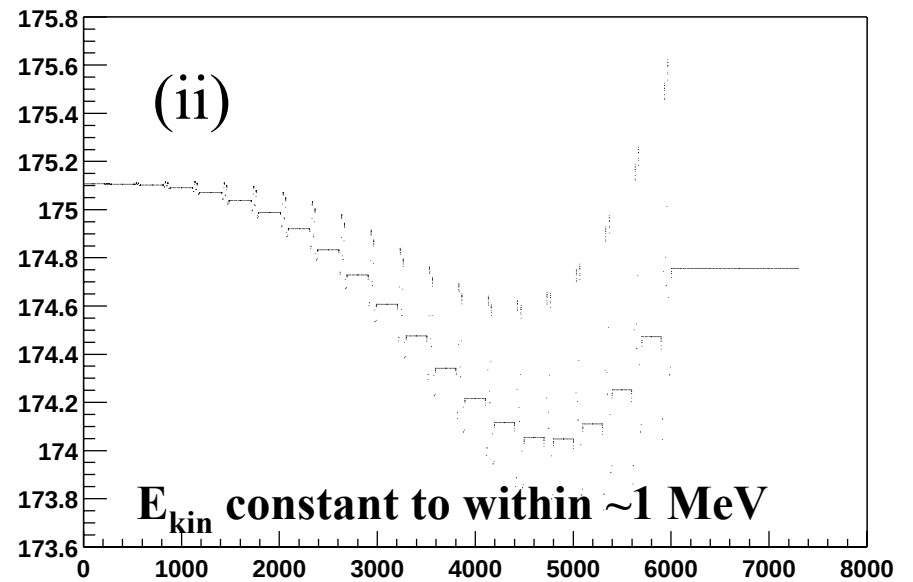
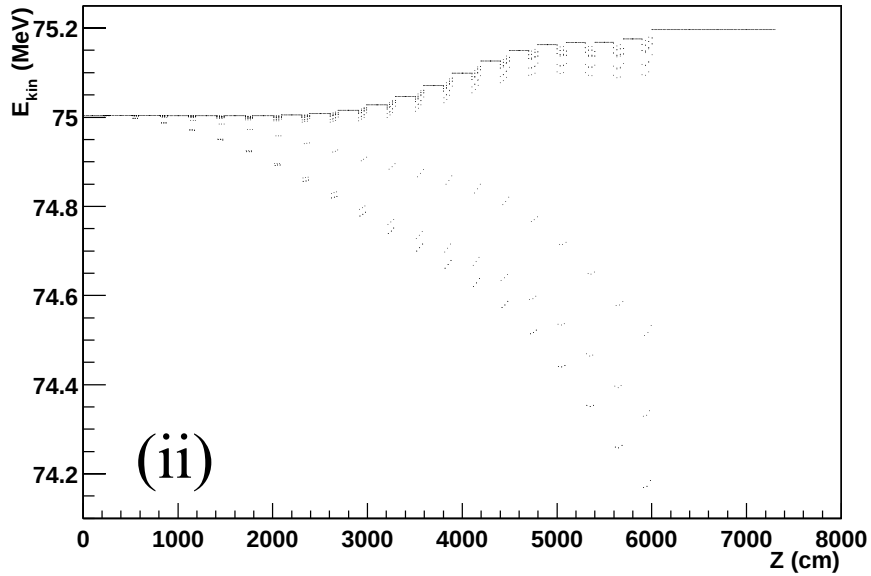
units of Linac wavelength



units of $v_{\text{r.f.}} = f(d, \beta_{75}, \beta_{175})$



Cases (ii) & (iii): Reference particles



Cases (ii) & (iii): r.f. Tuning Improvement

Currently using same gradient, synchronous phase (zero) in all cavities of each linac.

- Make voltage a function of distance, different for each cavity of a Linac.
- Use a more accurate rule to determine different synch. phases for each cavity of every linac.

Case of 3 cavity linacs:

$$V_1 \sin \theta_1 + V_2 \sin \theta_2 + V_3 \sin \theta_3 = 0 \quad \text{for a 175 MeV particle}$$

$$V_1 \sin \theta'_1 + V_2 \sin \theta'_2 + V_3 \sin \theta'_3 = 0 \quad \text{for a 75 MeV particle}$$

If $\theta_2=0$ & $V_1=V_3$:

$$\theta_1 = -\theta_3 = \arcsin \sqrt{\frac{1}{1 + \left(\frac{\gamma - \alpha}{\beta + \gamma} \right)^2}}$$

with $\alpha = \cos(2\pi\nu\Delta t_1)$
 $\beta = \sin(2\pi\nu\Delta t_1)$
 $\gamma = \cos(2\pi\nu\Delta t_3)$
 $\delta = \sin(2\pi\nu\Delta t_3)$

Conclusions

- Excellent quantitative agreement between G4 realistic simulation and 1D simulation from D.Neuffer (60 frequencies)
- The 20 frequencies design gives the best performance (& cheaper!).
- The 10 frequencies design performance is also good (& even cheaper!)

Plans:

- Extend simulation to phase rotation section & parameter optimization
- Match the buncher-phase rotation result to a cooling channel