

# PRECISION Measurements of SM parameters at the $\nu$ fact F. End.

(M. Mangano for WG2)

- $\sin^2 \Theta_W$  from  $\nu e \rightarrow \nu N$   
M. Chanowitz, K. Mc Farland, J. Yu
- $V_{CKM}$   
I. Bigi, L. Gibbons
- D- $\bar{D}$  mixing  
H. Nelson, D. Harries, I. Bigi

## Current Status

M. Chamoniotz

After 10 years of beautiful precision

EW studies at LEP, SLAC, FNAL

- No clear sign of new physics
- BUT agreement with SM is MARGINAL at the stated precision

• EWWG global SM fit:  $\chi^2 = 23/15$   $CL = 0.08$

•  $X_W^{l, \text{eff}}$   $A_{LR}, A_{FB}^l, A_e, A_\tau + A_{FB}^b, A_{FB}^c, Q_{FB}$

$$\chi^2 = 12.4/6 \quad CL = 0.05$$

Most precise:  $A_{LR} \text{ vs } A_{FB}^b \quad 3\sigma \quad CL = 0.003$

Leptonic:  $A_{LR}, A_{FB}^l, A_e, A_\tau \quad \chi^2 = 3.4/3$

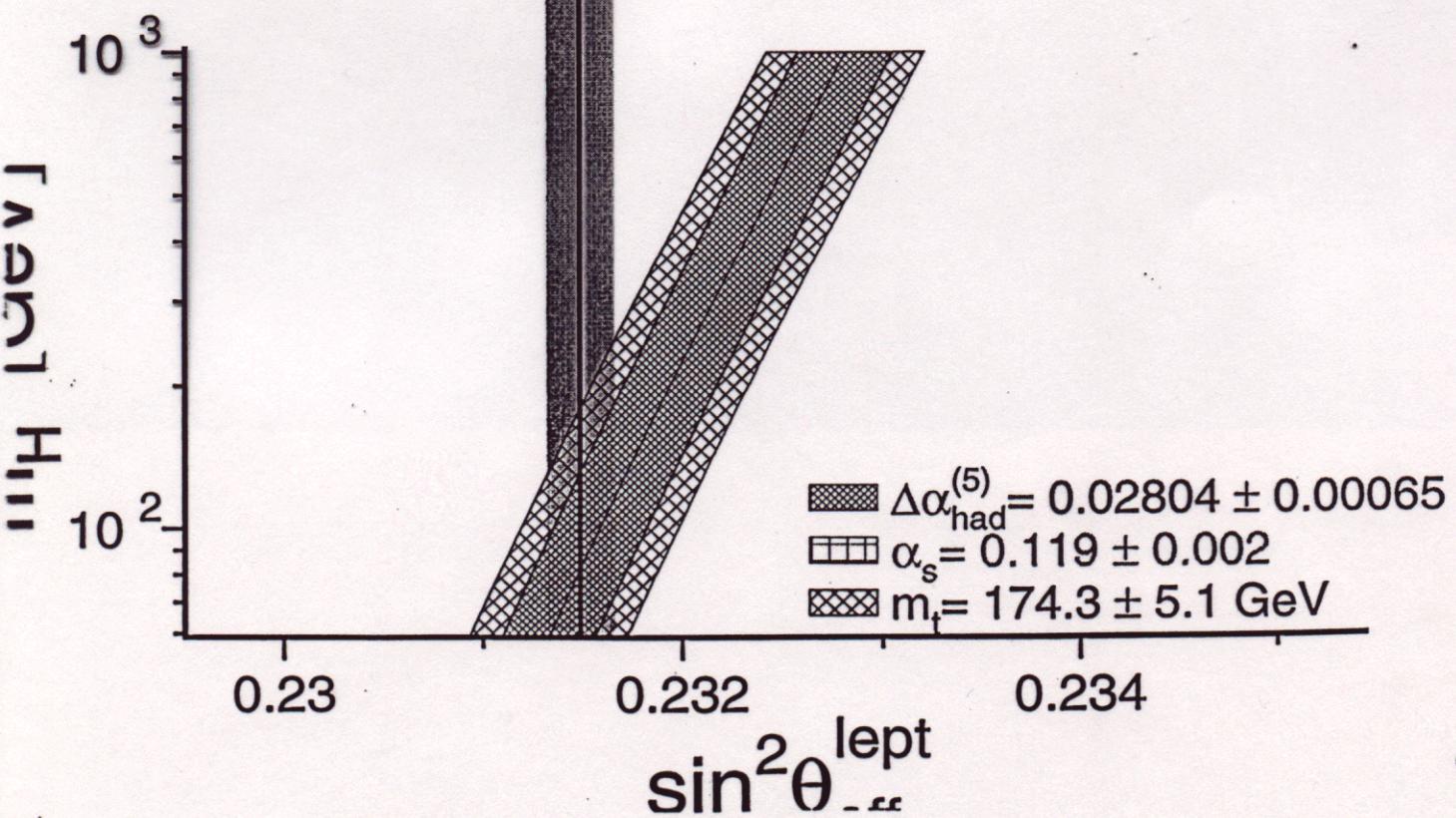
$$\bullet \underline{A_b} \quad A_b^{\text{SLC}} = A_{FBLR}^b \oplus A_b^{\text{LEP}} = \frac{4}{3} A_{FB}^b / A_l$$

$$\Rightarrow A_b^{\text{SM}} - A_b = 2.6 \sigma \quad CL = 0.01$$

$$(\& \quad A_c^{\text{SM}} - A_c = 2.1 \sigma \quad CL = 0.04)$$

Preliminary

$\Delta \alpha_{\text{had}}^{(5)}$	$0.23107 \pm 0.00053$
$\Delta \alpha_s$	$0.23210 \pm 0.00056$
$\Delta m_t$	$0.23136 \pm 0.00065$
$\Delta \alpha_{\text{lept}}$	$0.23228 \pm 0.00036$
$\Delta Q_{\text{fb}}$	$0.23255 \pm 0.00086$
$\Delta \tau$	$0.2321 \pm 0.0010$
Average(LEP)	$0.23192 \pm 0.00023$ $\chi^2/\text{d.o.f.}: 4.8 / 5$
SLD	$0.23096 \pm 0.00026$
Average(LEP+SLD)	$0.23149 \pm 0.00017$ $\chi^2/\text{d.o.f.}: 12.4 / 6$



4.1

# Potential Impact

Two scenarios

I.  $(\Delta x_w^l)_{NUFAC} \sim 2 \cdot 10^{-4}$

⊕

Current data

II.  $(\Delta x_w^l)_{NUFAC} \sim 1 \cdot 10^{-4}$

⊕

Projected Run 2 data ( $m_t$ )

I.

$$(\Delta x_W)_{\text{NUFAC}} \sim 2 \cdot 10^{-4}$$

Lepton Asyms

All

LEP/SLC

$$\Delta x_W^l (10^{-5})$$

$$0.23(17)(20)$$

$$0.23149 (17)$$

$$m_H$$

$$58 \times 1.69^{0 \pm 1}$$

$$106 \times 1.63^{0 \pm 1}$$

⊕ NDFAC

$$\Delta x_W^l$$

$$14$$

$$13$$

$$m_H$$

$$58 \times 1.56^{0 \pm 1}$$

$$106 \times 1.56^{0 \pm 1}$$

$\sim 10-20\%$

$\Rightarrow$  little impact on nominal precision,

but may illuminate conflict in  
existing data between leptonic  
& hadronic asymms -

II

$$(\Delta x_W^\ell)_{\text{NUFAC}} \sim \underline{1 \cdot 10^{-4}}$$

Assume  $\Delta m_t = 2.5 \text{ GeV}$ ,  $\Delta m_W = 25 \text{ MeV}$

Lepton Asyms

All

NUFAC

$m_H$

95% CL

$$58 \cdot 1.34^{0 \pm 1}$$

$$< 94$$

$$106 \cdot 1.34^{0 \pm 1}$$

$$< 174$$

⊕ LEP/SLC

$m_H$

~ No Change

⊕  $m_W$  (Run 2)

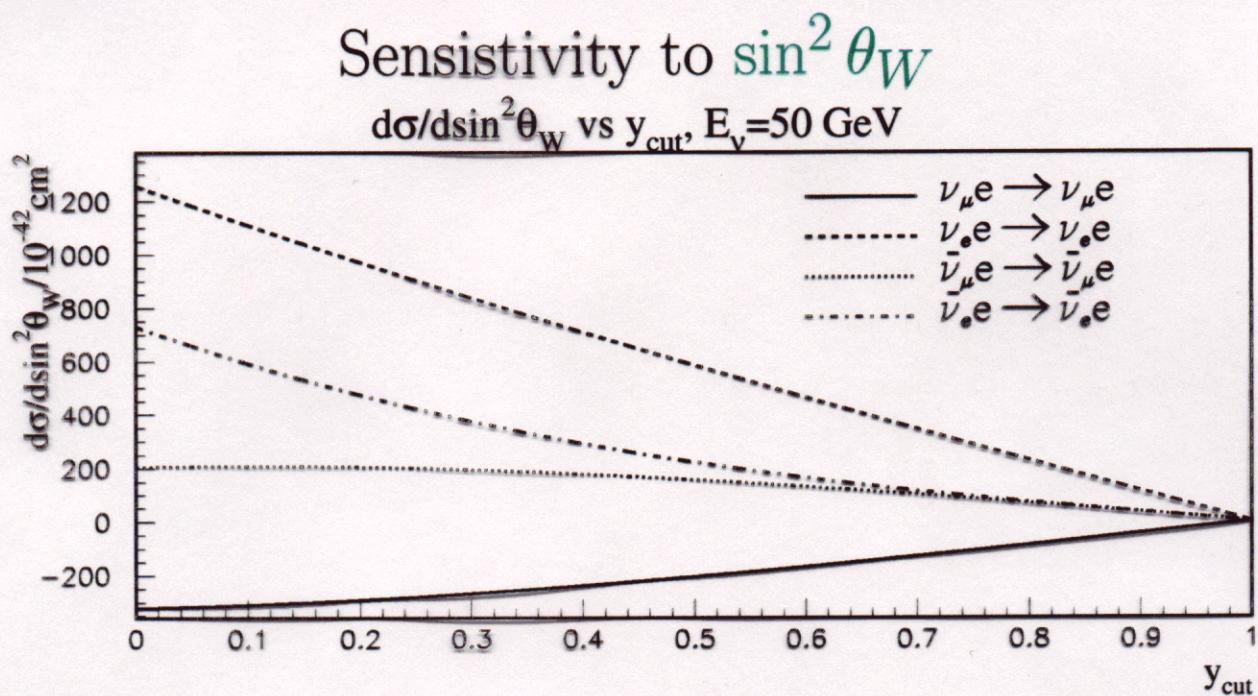
$m_H$

~ No Change

$(\Delta m_W \sim 20 \text{ MeV} \Rightarrow \text{same } \Delta(\ln m_H) \text{ as from } \Delta x_W^\ell \sim 2 \cdot 10^{-4})$

$\Rightarrow$  factor 2 gain in  $m_H(x_W^\ell)$   
+ crisper resolution of existing  
discrepancies.

## $\nu e$ Scattering: Cross-Sections II

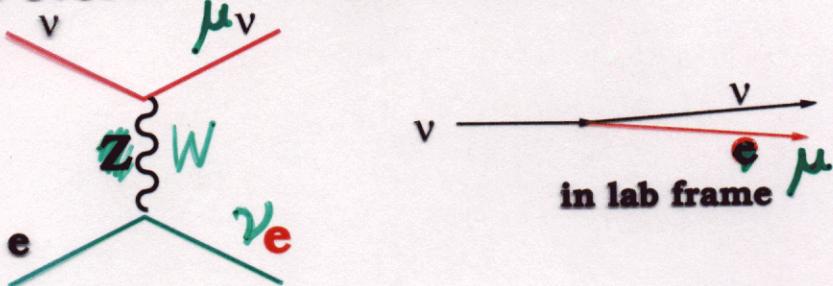


- $\mu^+$  beam,  $\nu_e e \rightarrow \nu_e e$  varies by 0.1% for  $\delta \sin^2 \theta_W \sim 0.0005$
- $\mu^-$  beam: neutrino flavors summed less sensitive than flavor-separate case

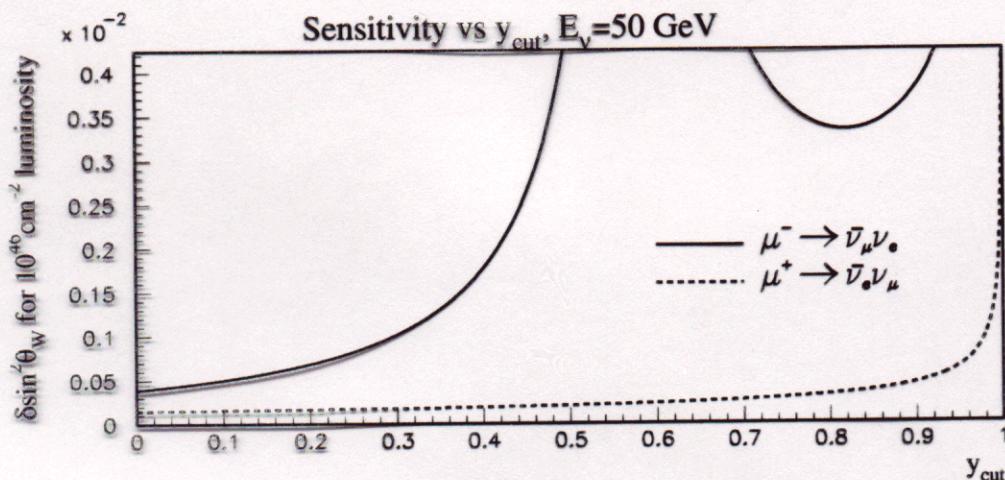
## $\nu e$ Scattering: Normalization

$\mu^- \rightarrow e^- \bar{\nu}_\mu \bar{\nu}_e$  Beam Has  
Charged-Current Normalization Processes

- $\nu_\mu e^- \rightarrow \nu_e \mu^-$
- $\bar{\nu}_e e^- \rightarrow \bar{\nu}_\mu \mu^-$



$\mu^+ \rightarrow e^- \bar{\nu}_\mu \nu_e$  Beam Has None!



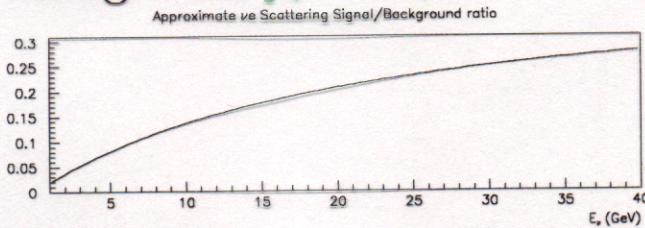
- Sensitivity for an integral analysis  $y > y_{cut}$
- Normalizable beam is much less sensitive
- Remember:  $\mu^+$  beam,  $\nu_e e^- \rightarrow \nu_e e^-$  varies by 0.1% for  $\delta \sin^2 \theta_W \sim 0.0005$

## $\nu e$ Scattering: Backgrounds II

### Quasi-Elastic $\nu_e$ Scattering

- $p_t$  separation

- ▷  $\sigma_{QE}/\sigma_{\nu e} \sim \frac{4000 \text{ GeV}}{E_\nu}$
- ▷ Signal  $p_t^2 \sim m_e E_\nu \oplus m_\mu^2$   
(reaction  $\oplus$  beam)
  - \*  $p_t$  Resolution in Li Ar (ICARUS)  $\sim 400$  MeV
  - \* c.f.:  $E_\nu \sim 30$  GeV  $\Rightarrow p_t^{\nu e^-} = 200$  MeV
- ▷ Background  $p_t \sim m_N$



$\mu^- \rightarrow \nu_\mu \bar{\nu}_e$  and  $e^+ / e^-$  important!

- ▷ Background very well measured (high  $p_t$ )

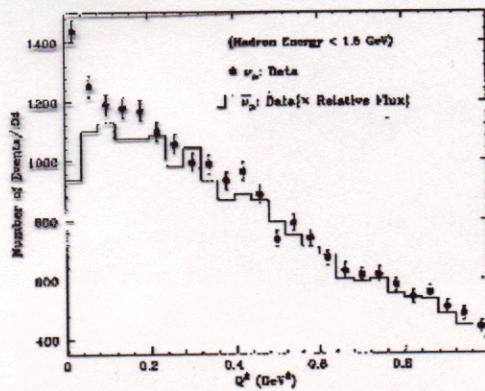


FIG. 2. Distribution of  $Q^2 = E_e E_\nu B_\nu^2$  for events with  $E_{HAD} \leq 1.5$  GeV. The  $\nu_e$  events are shown by solid circles. The  $\bar{\nu}_e$  events, scaled up by the relative  $\nu_\mu$  to  $\bar{\nu}_e$  flux, are shown by the solid line.

Statistical subtraction possible but painful

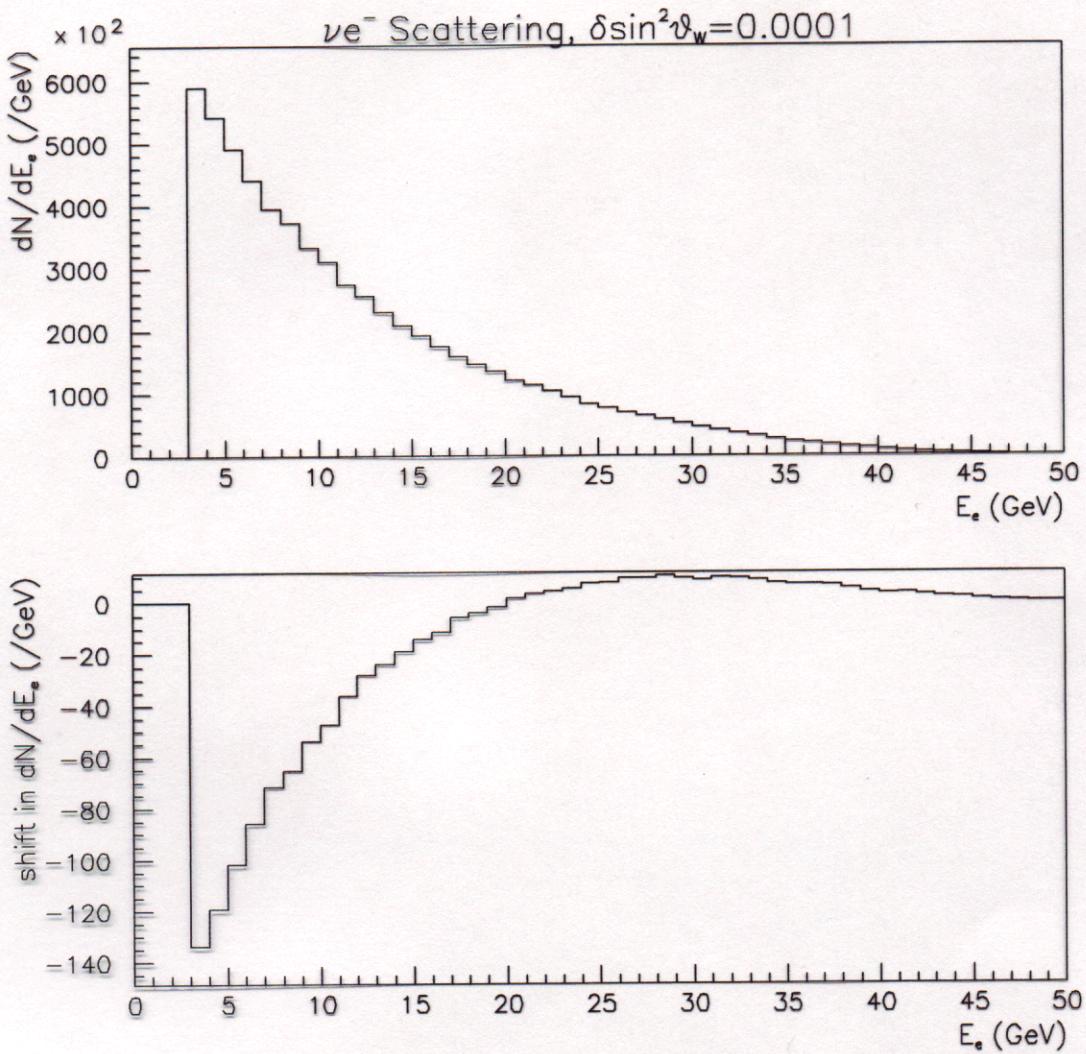
## $\nu e$ Scattering: Statistics II

Take detector as a liquid argon TPC

- Vary depth and radius
- Start of detector is 40 meter baseline
- 50 GeV  $\mu^-$  beam,  $10^{20} \mu$ , 800 meter straight section

Radius	Depth	Tons	g/cm <sup>2</sup>	$\nu e^-$ Events, $E_e > 3GeV$
10 cm	10 m	0.43	1400	$3.2 \times 10^5$
20 cm	10 m	1.9	1400	$7.5 \times 10^5$
50 cm	10 m	10	1400	$2.0 \times 10^6$
10 cm	100 m	4.3	14000	$1.8 \times 10^6$
20 cm	100 m	19	14000	$6.0 \times 10^6$
50 cm	100 m	100	14000	$1.9 \times 10^7$
50 cm	30 m	33	4200	$6.4 \times 10^6$

## $\nu e$ Scattering: Statistics II



$$\delta \sin^2 \theta_W (\text{stat}) \approx 0.0002$$

## Conclusions

1.  $\nu e^-$  Scattering:  
Theoretically Clean, Experimentally Hard
2. Sensitive beam to  $\sin^2 \theta_W$  ( $\mu^+$ ) is hard to normalize
3. Backgrounds are a concern
4. Requires a dedicated detector
5. High flux, high energy a must
6.  $\delta \sin^2 \theta_W \sim 0.0002$  is probably achievable
  - $10^{21}$  muons for  $\delta \sin^2 \theta_W < 0.0001$ ?

## $\nu N \sin^2 \theta_W$ Measurement at Present

- Charm Production  $\Rightarrow$  Need techniques insensitive to Sea Quarks

$$\text{Paschos-Wolfenstein: } R^- = \frac{\sigma_{NC}^\nu - \sigma_{NC}^{\bar{\nu}}}{\sigma_{CC}^\nu - \sigma_{CC}^{\bar{\nu}}} = \rho^2 \left( \frac{1}{2} - \sin^2 \theta_W \right)$$

Minimize sea quark contributions.

- Clever beam design  $\Rightarrow$  Minimize uncertainties in  $N_{\nu_e}$  by reducing neutral secondary contents, such as  $K_L$

But  $\Rightarrow$

- Still needed to understand the  $\nu$  beam from the secondaries well.
- Statistical uncertainty dominates.
- Relies on statistical separation of NC and CC events based on longitudinal energy deposition in the calorimeter (“event length”).
- Radiative correction a rather large theoretical uncertainty.

## Experimental Technique

Indistinguishable NC events prohibits  $R^-$  Style measurements  $\Rightarrow$  But we could measure  $R^{\nu(\bar{\nu})}$  Style

Linear combinations of Llewellyn-Smith ratios:

For  $\nu_\mu \bar{\nu}_e$  beam

$$R_\nu^{\mu^-} = \frac{\sigma(\nu_\mu, NC) + \sigma(\bar{\nu}_e, NC)}{\sigma(\nu_\mu, CC) + \sigma(\bar{\nu}_e, CC)} = \frac{R^\nu + gr R^{\bar{\nu}}}{1 + gr} \quad (1)$$

For  $\nu_e \bar{\nu}_\mu$  beam

$$R_{\bar{\nu}}^{\mu^+} = \frac{\sigma(\bar{\nu}_\mu, NC) + \sigma(\nu_e, NC)}{\sigma(\bar{\nu}_\mu, CC) + \sigma(\nu_e, CC)} = \frac{R_{\nu_\mu} + g^{-1}r R_{\bar{\nu}_\mu}}{1 + g^{-1}r} \quad (2)$$

where,

$$r = \frac{\sigma(\bar{\nu}, CC)}{\sigma(\nu, CC)} \simeq 0.5$$

and

$$g \equiv \frac{\int \Phi(E_{\bar{\nu}_e}) E_{\bar{\nu}_e} dE_{\bar{\nu}_e}}{\int \Phi(E_{\nu_\mu}) E_{\nu_\mu} dE_{\nu_\mu}} = \frac{\int \Phi(E_{\nu_e}) E_{\nu_e} dE_{\nu_e}}{\int \Phi(E_{\bar{\nu}_\mu}) E_{\bar{\nu}_\mu} dE_{\bar{\nu}_\mu}}. \quad (3)$$

the energy-weighted flux ratio between  $\nu_\mu$  and  $\nu_e$

The above assumes lepton universality and no beam polarization

## Uncertainty Comparisons

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For  $E_\mu = 50\text{GeV}$  and  $10^{20}\mu\text{-decays/yr}$ , 40m straight section, on a 1m long CCD (iso-scalar) target would yield  $\sim 30M\text{events/yr}$ , assuming 100% fiducial coverage

SOURCE of UNCERTAINTY	NuTeV	$\nu\text{MC}$
<b>Data Statistics</b>	0.0019	$\sim 3.5 \times 10^{-4}$
$\nu_e$ flux	0.00045	Irrelevant
Transverse Vertex	0.0004	negl.
Energy Measurement		
Energy Scale	0.00049	negl.
Muon Energy Loss in Shower	0.00012	negl.
Energy Resolution	0.00006	negl.
Primary lepton ID	N.A.	negl.?
Event Length		Irrelevant
Hadron Shower Length	0.00022	
Counter Fiducial Size	0.00024	
Counter Efficiency & Noise	0.00011	
Vertex Determination	0.00012	
<b>TOTAL EXP. SYST.</b>	0.00078	negl.?
Charm Production, $\bar{s}$ ( $m_c = 1.31 \pm 0.24$ GeV)	negl.	<del>negl.?</del> <b>0.0004</b>
Higher Twist	0.00011	negl.?
Longitudinal Cross-Section	0.00004	negl.
Charm Sea, ( $\pm 100\%$ )	0.00002	negl.
Non-Isoscalar Target	0.00017	<b>0 (<math>D_2</math> Target)</b> $9 \times 10^{-5}$ (CCD + Al Circuit)
Structure Functions	0.0001	<del>negl.</del> <b>&lt; 0.0001</b>
Rad. Corrections	0.00051	<b>&lt; 0.0005</b>
$\sigma^\nu/\sigma^\nu$	0.00021	negl.
<b>TOTAL PHYSICS MODEL</b>	$\sim 0.00069$	<b>&lt; 0.0006</b>
<b>TOTAL UNCERTAINTY</b>	0.0022	<b>&lt; 0.0007</b>
$\Delta M_W$	<b>0.11 GeV/c<sup>2</sup></b>	<b>&lt; 0.03 GeV/c<sup>2</sup></b>

# Conclusions

- It is very feasible to achieve  $\Delta M_W < 30 \text{ MeV}$ , thanks to high neutrino flux
  - Add valuable information to understanding SM
  - Contribute significantly to LHC's Higgs search
- Charm production uncertainty seems to be controllable but need improvements in measurement systematics
- Better study on radiative correction error
- Better understanding of the different techniques
- Particle ID can be under control but it's time to use more realistic tools for more detailed estimate (eg.  $\pi^0$  production rate)
- Trigger capability in the target is important not only for P-ID but also due to pile up events in the calorimeter.
- Need to input this measurement's requirement into a detector design

Dear Santa:  
Heavy Flavour Physics at nuMC's --  
Theoretical Desires

I.I. Bigi

University of Notre Dame du Lac

Which info on HFLPh missing + interesting in 2010?

3 classes

- (more precise) measurements of SM parameters
- calibration of theoretical tools  
(control over hadronization)
- probe for NP

## (A) Measurements of SM Parameters

### 1) CKM Parameters

$$|V_{CKM}| = \begin{pmatrix} d & s & b \\ 0.9742 - 0.9757 & 0.219 - 0.226 & 0.002 - 0.005 \\ 0.219 - 0.225 & 0.9734 - 0.9749 & 0.037 - 0.043 \\ 0.004 - 0.014 & 0.035 - 0.043 & 0.9990 - 0.9993 \end{pmatrix}_{\substack{u \\ c \\ t}}$$

with 3-family unitarity!

$$|V_{CKM}| = \begin{pmatrix} 0.9722 - 0.9748 & 0.216 - 0.223 & 0.002 - 0.005 & \dots \\ 0.199 - 0.233 & 0.784 - 0.976 & 0.037 - 0.043 & \dots \\ 0.0 - 0.09 & 0 - 0.55 & 0 - 0.9993 & \dots \\ \dots & \dots & \dots & \dots \end{pmatrix}$$

without 3-family unitarity!

$$|\Delta V_{cd}|_{PDG00} = 17\% [3\%]$$

$$|\Delta V_{cs}|_{PDG00} = 20\% [2\%]$$

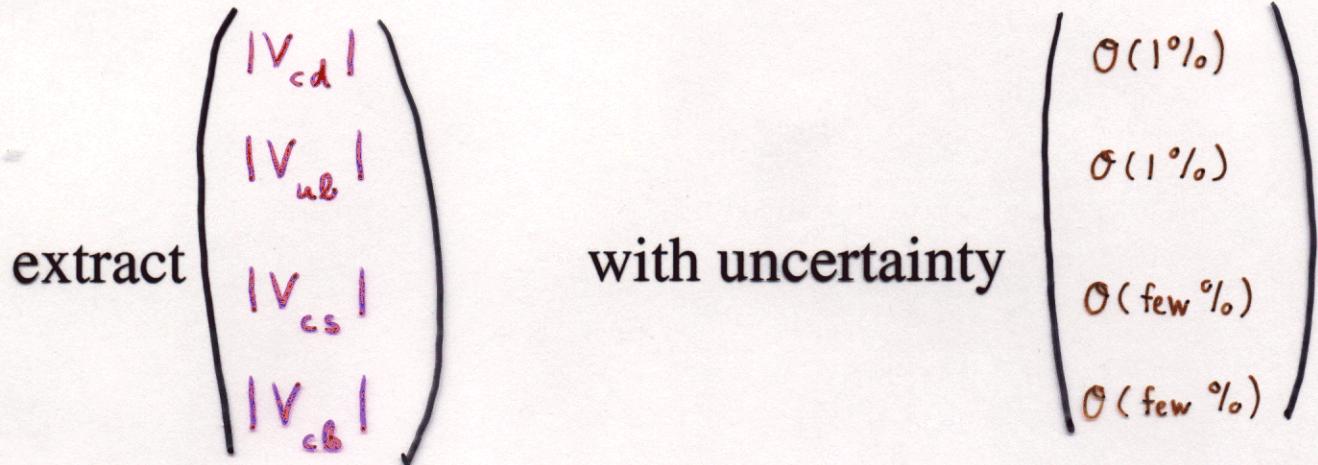
$$|\Delta V_{ub}|_{..} = 40\%$$

$$|\Delta V_{cb}|_{..} = 8\%$$

## Summary.

- a variety of techniques to extract  $|V_{ub}|$  w/ uncertainties 10 - 15% or less at  $T(4S)$
- complementary systematics:  
we'll want them all to verify we really know  $|V_{ub}|$  at 10% level!

## challenge for nuMC



- appears feasible experimentally
- theoretical uncertainties?
- actually measure ratios  $|V(cd)/V(ud)|$

uncertainties in PDF's drop out

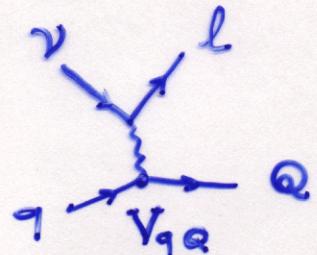
- threshold suppression

central challenge

involves nonperturb. definit. of quark mass

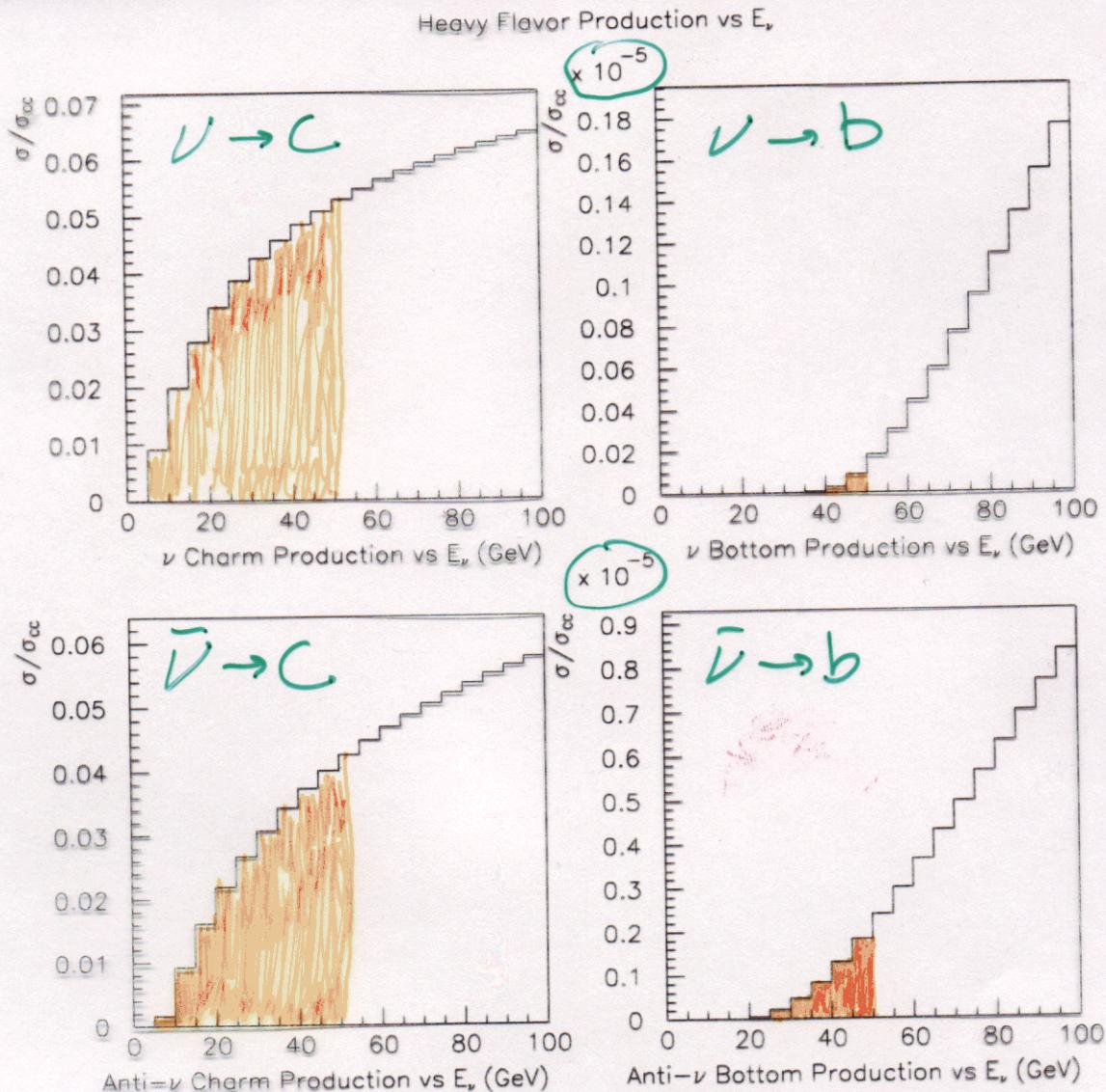
$\neq$  “ “ “ “ in decays

could use  $|V(cs)|$  and  $|V(cb)|$  as calibrators!



Lab for duality studies

## Neutrino Charm Factory: By-Products



$$\frac{\sigma_{\text{charm}}}{\sigma_{CC}}$$

$$\frac{\sigma_{\text{bottom}}}{\sigma_{CC}}$$

- Charm Production averages  $\approx 3\%$  of cross-section
- Bottom Production not accessible at 50 GeV
  - ▷ precise measure of  $|V_{ub}|$  at high  $E_\nu$ ? (B. King)

## 2) $D^0$ - $\bar{D}^0$ oscillations

### • basic quantities

$$x_D = \frac{\Delta M_D}{\Gamma_D}$$

↑  
sensitive  
to NP

$$y_D = \frac{\Delta \Gamma_D}{2\Gamma_D}$$

↑  
hardly sensitive  
to NP

### • flavour tag

initial state

$$- D^+ \rightarrow D^0 \pi^+$$

$$- D^+ \bar{D}^0, D^0 \bar{D}^0$$

$$- \nu N \rightarrow \mu^- D X$$

$$\bar{\nu} N \rightarrow \mu^+ \bar{D} X$$

$\nu MC$        $\Delta C = -\Delta Q_e$  rule

final state

$$D^0 \rightarrow K^- X$$

SM backgrd: DCSD

$$D^0 \rightarrow l^+ X$$

"      "      none - but  
check!

- experim. Landscape

$$\tau_D = \frac{\Gamma(D^0 \rightarrow \bar{L}^- X)}{\Gamma(D^0 \rightarrow \bar{L}^+ X)} \simeq \frac{1}{2} (x_D^2 + y_D^2)$$

$$D^0 \rightarrow K^+ \pi^- \text{ vs. } D^0 \rightarrow \bar{K}^- \pi^+$$

$$y'_D = y_D \cos \delta_{K\pi} - x_D \sin \delta_{K\pi}$$

$$\tau_D \leq 5 \times 10^{-4} \quad 95\% \text{ C.L. CLEO}$$

$$-0.04 \leq y_D \leq 0.06 \quad 90\% \text{ C.L. E791}$$

$$-0.058 \leq y'_D \leq 0.01 \quad 95\% \text{ C.L. CLEO}$$

$$y_D = 0.0342 \pm 0.0139 \pm 0.0074 \quad \text{FOCUS}$$

- theoret. Landscape

folklore

$$y_D, x_D \sim 10^{-4} - 10^{-3} \quad \text{dominated by LDD}$$

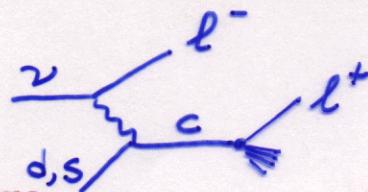
my (& Uraltsev's) opinion

$$y_D, x_D \sim \mathcal{O}(10^{-3}) \quad \text{can be obtained from OPE}$$

## $D^0 - \bar{D}^0$ Mixing

- $D^0 - \bar{D}^0$  is a clean signature of new physics if seen above  $10^{-6}$  level
- $e^+e^-$  and Fixed Target currently at  $\text{few} \times 10^{-3}$  level (BaBar estimates  $\text{few} 10^{-4}$  sensitivity with years at design luminosity)
  - ▷ Stuck on systematics/backgrounds
  - ▷ Reconstructed flavor from  $D^0 \rightarrow K^- \pi^+$  (but  $D^0 \rightarrow K^+ \pi^-$  is 1% of this rate)
  - ▷ Proper lifetime analysis required to get below  $10^{-2}$

One idea for  $D^0 - \bar{D}^0$  Mixing in a Neutrino Factory Beam:



- High momentum lepton is tag
- Measure (inclusive) second lepton charge
  - ▷ about 30% from neutral  $D$  mesons
  - ▷ 10% efficient, assuming only  $e^\pm$  useful
    - \* There is a  $\text{few} \times 10^{-2}$  background from light meson decays in showers for the case of muons
  - ▷ probe  $5 \times 10^6 D^0$  decays
- $D^0 - \bar{D}^0$  mixing gives  $\ell_{\text{tag}}^\pm \ell_{\text{charm}}^\mp$ 
  - ▷ vs dominant  $\ell_{\text{tag}}^\pm \ell_{\text{charm}}^\mp$

# Target for charm Experiment

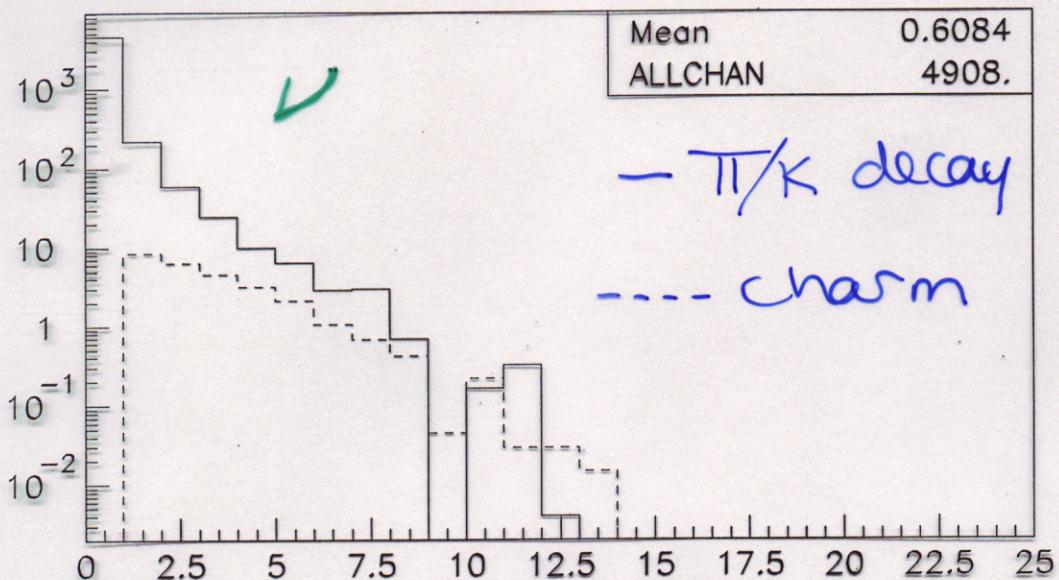
CCD's :  $300\mu\text{m}$  thick  
spaced every  $600\mu\text{m}$   
2 m long  
 $\Rightarrow 210 \text{ g/cm}^2$   
(3300 planes!)  
 $9.6\%$ ,  $2.0 \lambda_{\text{int}}$

$\lambda_{\text{CT}}$  for charm  
from 25-50 GeV ring  
is between  $.5 \rightarrow 2.5 \text{ mm}$

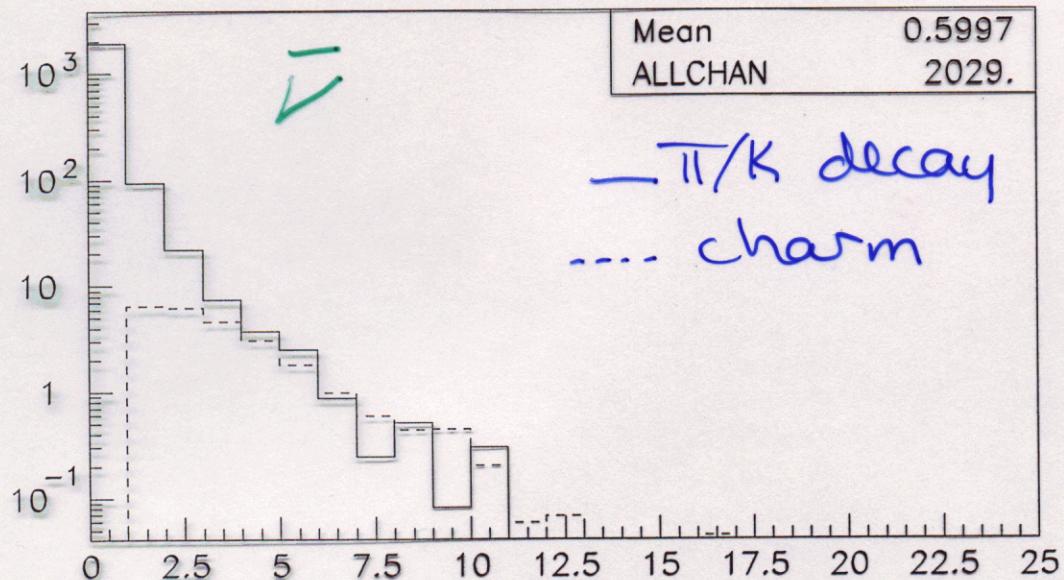
But Beware: Density of this  
target only  $\frac{1}{2}$  that  
of  $\text{SiO}_2 \dots \left(\frac{2.2}{2}!!!\right)$   
Backgrounds enter...

# Second Muon Momenta exp 1

5cm  
25GeV

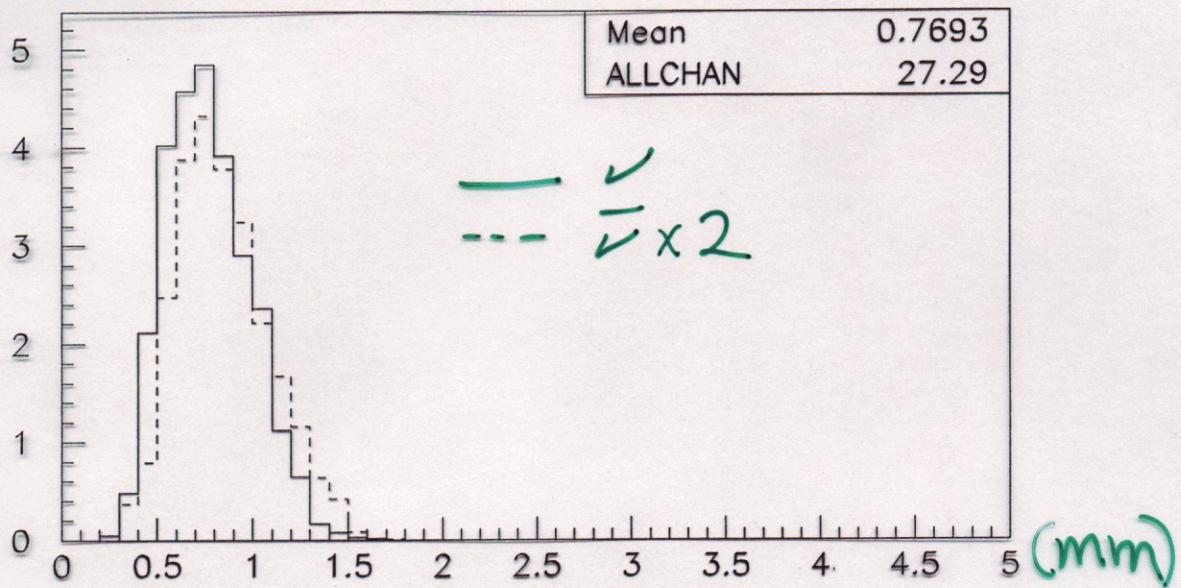


Second Muon Momentum nu no charm

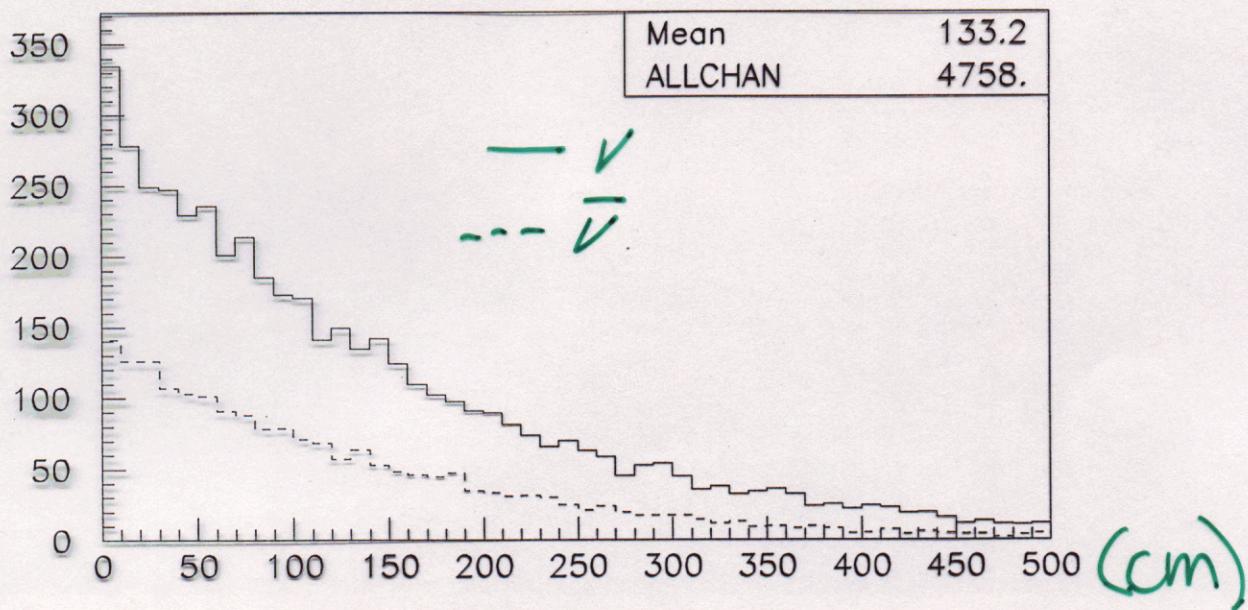


Second Muon Momentum nubar no charm

Second Muon vertex exp1 25 GeV  
5 cm

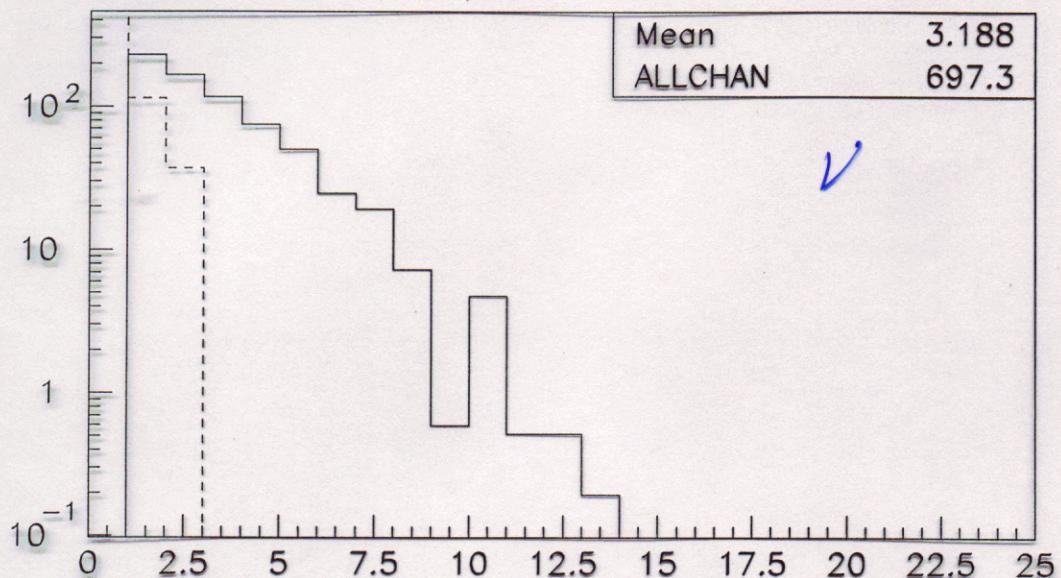


Second Muon  $\gamma\tau$  nu charm

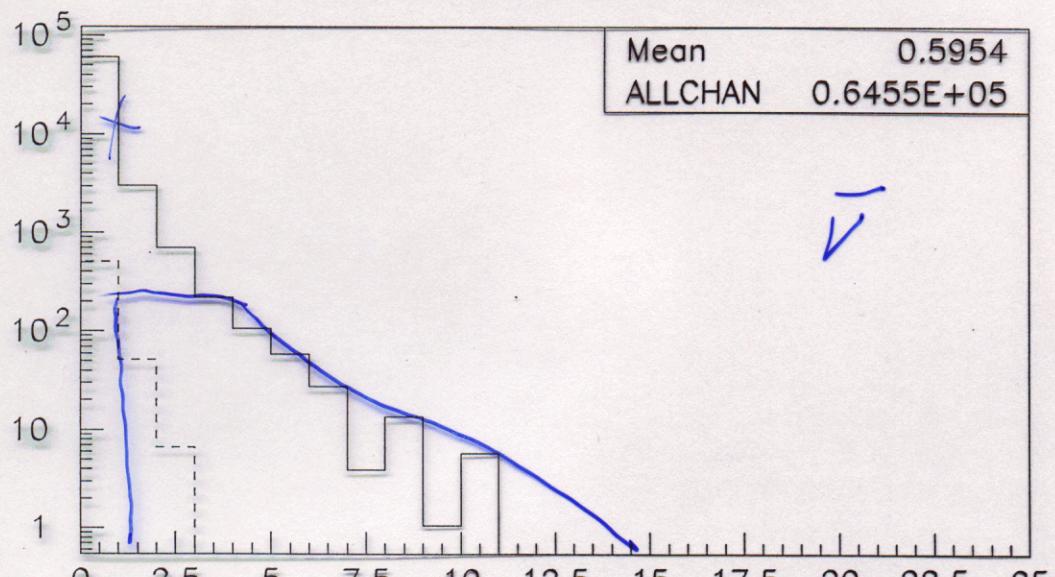


Second Muon z nu not charm

## New Signal vs Background exp2



Second Muon Momentum nu charm



Second Muon Momentum nubar no charm

# CONCLUSIONS

For $10^{20} \mu$ decays, $c \rightarrow \mu$	$E_\mu$ Ring (GeV)	Radius (cm)	$\text{Rate/g/cm}^2 \times 200 \text{ g/cm}^2 \times 4 (?)$
25	5	5.4 K	22 K
25	50	140 K	560 K
50	5	80 K	320 K
50	50	1.4 M	5.6 M

$\times 10$  rate 

$\times 4$  means : Use  $(\nu_\mu, \bar{\nu}_e) + (\bar{\nu}_\mu, \nu_e)$  Ring and  $c \rightarrow \mu$  with  $c \rightarrow e$

- \* Using  $\bar{\nu}$  as well as  $\nu$  would add another  $\sim 40\%$  rate.
- \* Using more than just  $c \rightarrow l$  could also gain factor of  $N$ ,  $N \lesssim 5$

Backgrounds to  $c \rightarrow \mu$ :  $\lesssim 1\%$   
for 5mm cut + 5GeV muon momentum cut....

Backgrounds to  $c \rightarrow e$  ???  $\pi \rightarrow e$  less  $\pi^0$  production more!

# Conclusions

first studies w. some elements  
of realism (e.g. bg's!) reported  
at this Workshop:

- $\sin^2 \theta_w^{eff}$  from  $\nu e$  fixed tgt cfr polar. Möller  
e-scatt. exp. @  
Tesla  
 $\delta \sin^2 \theta_w \sim 6 \times 10^{-5}$   
B. McFarland  
D. Harris  
B. King
  - (  $\Delta_{achieved} \sim 2 \times 10^{-4}$   
 $\Delta_{goal} \lesssim 1 \times 10^{-4}$  )
- $\sin^2 \theta_w$  from  $\nu N$  cfr GigaZ  
 $\delta \sin^2 \theta_w \sim 10^{-5}$   
J. Yu
  - (  $\Delta M_w^{achieved} \sim 35 \text{ MeV}$   
 $\Delta_{goal} \lesssim 10 \text{ MeV}$  )
- $D \bar{D}$  mixing cfr Bfact  $\sim \frac{7 \times 10^{-3}}{[L/10^3 \text{ fb}^{-1}]^{1/2}}$   
D. Harris  
K. McFarland
  - (  $B/S \lesssim 10^{-2}$       goal:  $\sim 10^{-3 \div -4}$  )

This work should now be extended  
to other observables, defining accuracy  
benchmarks & determining beam &  
detector specs needed to achieve them.

It already seems clear, though, that  
we need  $[E^{\mu} \gtrsim 50 \text{ GeV}]$