

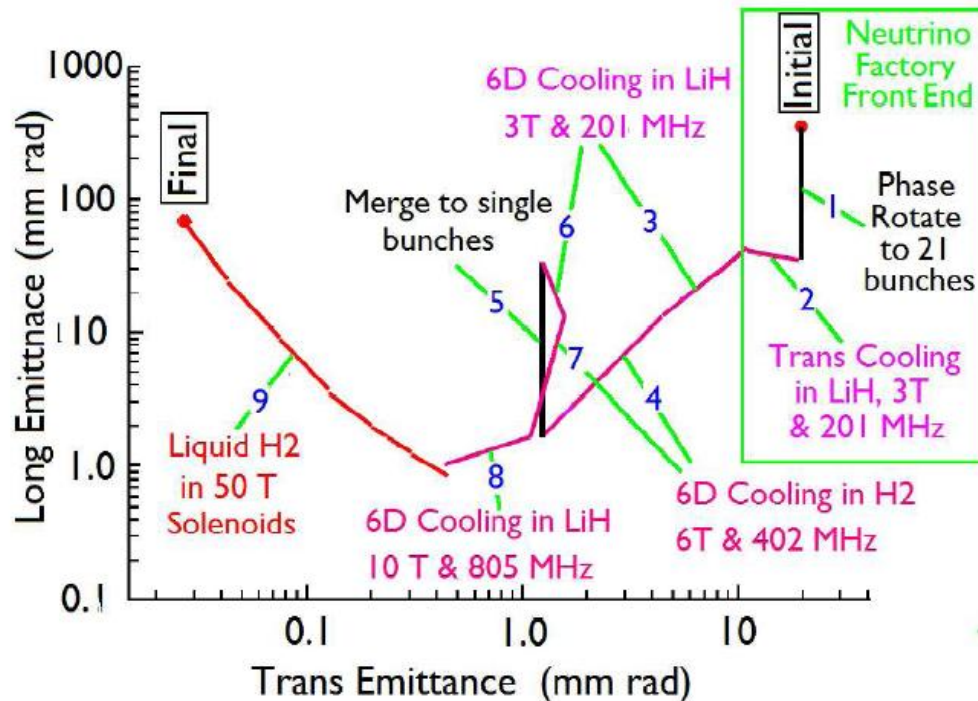
# COMPARISONS OF H<sub>2</sub> FILLED RF CAVITIES IN VARIOUS COOLING CHANNELS

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# 4 cases of HPRF in a linear cooling channel



- We will consider Regions:
- #2-#3 3T 201 MHz  $10^{11}$
- #4 6T 402 MHz  $10^{11}$
- #6 3T 201 MHz  $2 \cdot 10^{12}$
- HCC 325 MHz 20 bunches  $10^{11}$  / bunch
- For cooling channel details see:
- Gallardo-Zisman
- K. Yonahara

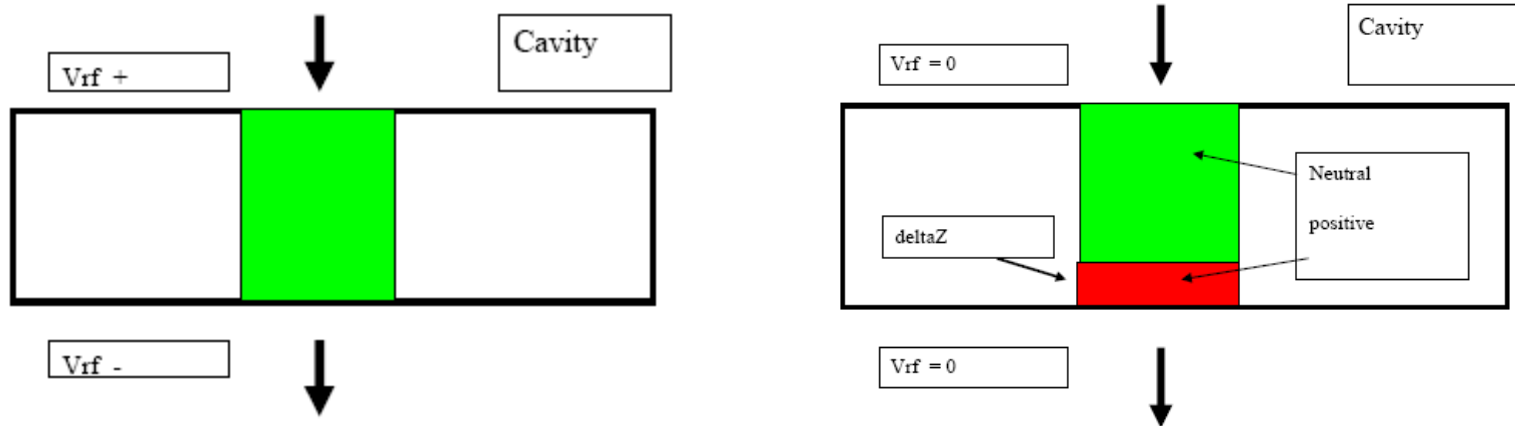
# CAVITY ENVIRONMENT

CASE	Mu/bun	Frf MHz	Gas $\rho$ Grms/cc	Erf MV/m	Cavity h cm	#H2 / cc	# Ions/cc
2-3	$10^{11}$	200	.003	15	50	$9.1 \cdot 10^{20}$	$1.74 \cdot 10^{11}$
4	$10^{11}$	400	.003	15	50	$9.1 \cdot 10^{20}$	$2.09 \cdot 10^{12}$
6	$2 \cdot 10^{12}$	200	.003	15	50	$9.1 \cdot 10^{20}$	$2.61 \cdot 10^{13}$
HCC	$10^{11}$	325	.0134	27	5	$4.03 \cdot 10^{21}$	$1.85 \cdot 10^{12}$

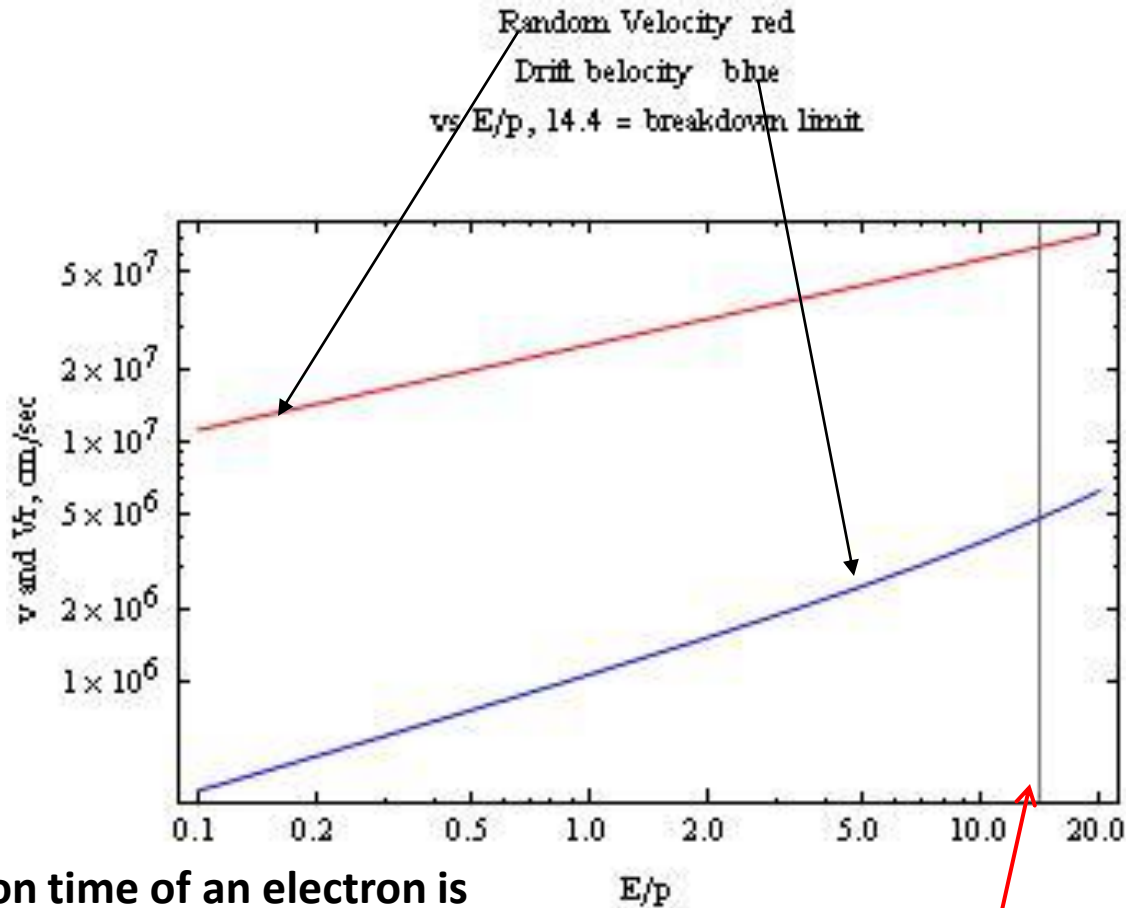
# Gas physics 1a.

- 1. After the beam goes thru there are two immediate effects.
  - A. The beam charge + electrons from the plasma that get sucked up to the ends of the cavity reduce the cavity voltage by an amount of  $(\Delta q) / (\text{total cavity charge})$ . This is normal beam loading, but enhanced by the additional charge sucked out of the gas.
  - B. The electrons in the gas slosh back and forth under the influence of the cavity E field. They make inelastic collisions and loose energy. This loads the cavity and reduces its Q.

$$\text{Power} = j E = \rho v[E] E \quad v[E] = \mu[E/P] E$$



A.E.D. Heylen "Calculated electron mobility in hydrogen" Proc.  
Roy Soc. 76, 779 (1960)



The relaxation time of an electron is about 2000 collisions. The collision rate is greater than  $10^{13}$  So  $\tau < 0.1$  ns and thus  $v[E(t)]$  follows the above blue curve.

At  $E/p = 14.1$  the rms swarm energy is 2.33 eV

Assume electrons remain free  
 after n cycles  $V_{rf} = V_0 \text{Exp}[-\alpha n (n+1)]$   
 where  $\alpha = 0.5 \text{ Energy Stored / Energy lost / cycle}$

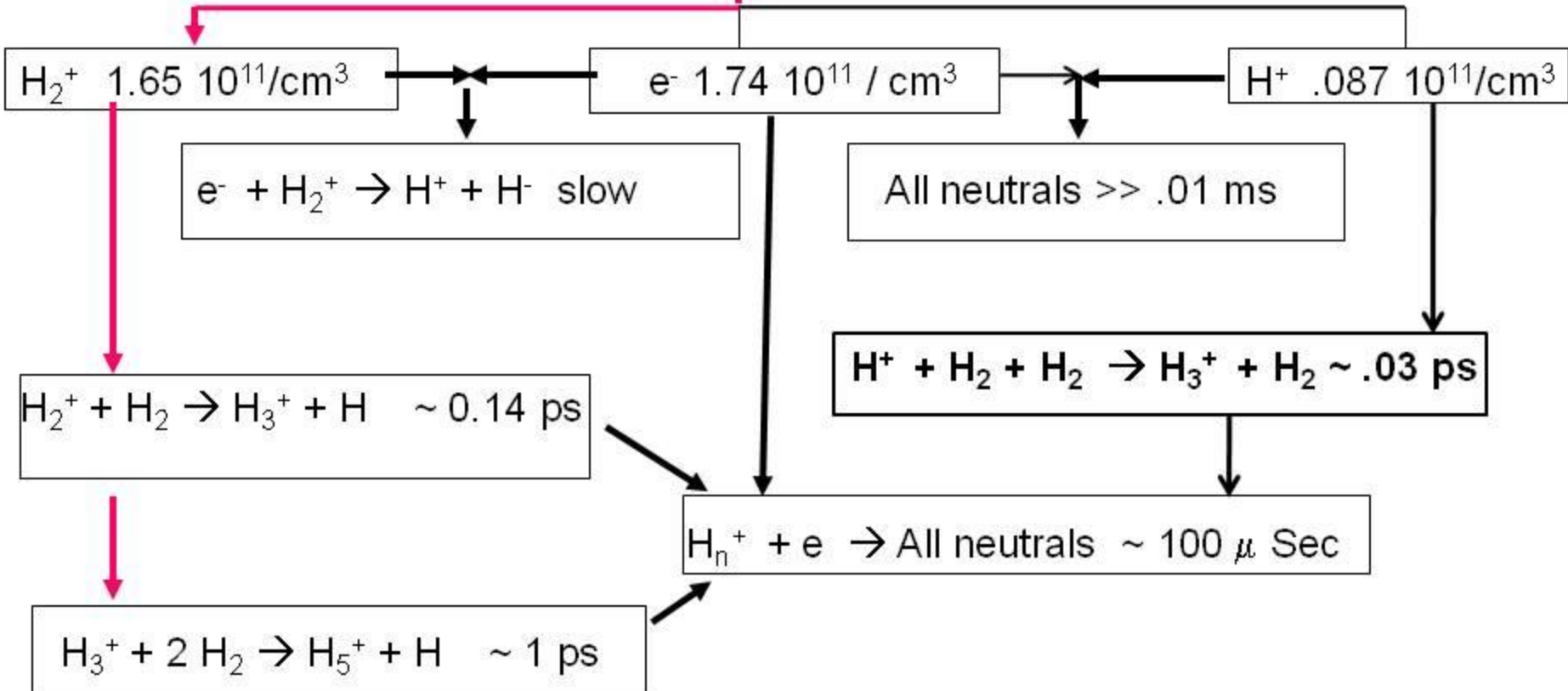
Case	$\alpha$	$V_{rf}[n=20] / V_{rf}[0]$
2-3	0.00112	0.789
4	0.00223	0.625
6	Q=281 single bunch	
HCC	0.00274	0.562

## SOLUTION:

1. Neutralize plasma in times  $\approx 0.1 \text{ ns} \ll \text{period}$
2. Attach electrons to electro negative molecule making a heavy negative ion that can't wiggle in RF field.  $\text{SF}_6$  for example.

$\mu$  Beam  $10^{11}$   
 $H_2$   $9.1 \cdot 10^{20}/cm^3$

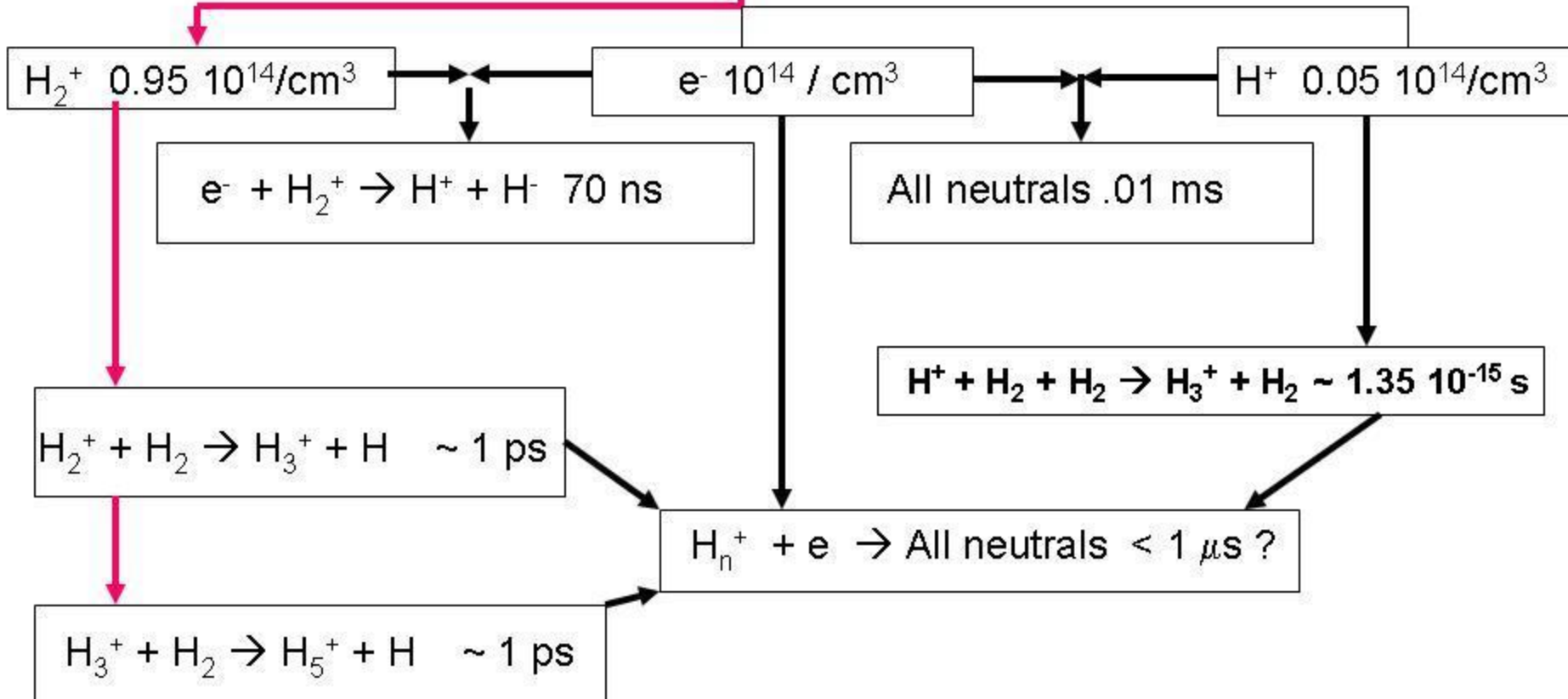
# Case 2



## Hydrogen ion chemistry

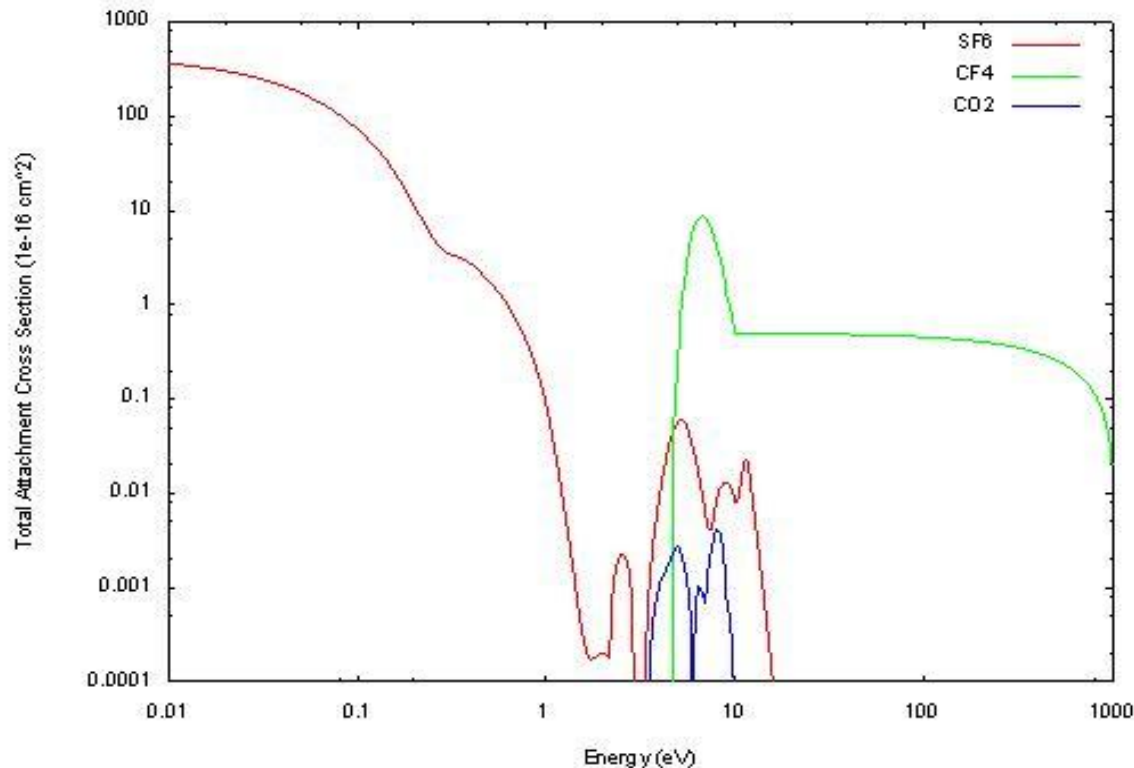
# HCC CASE

$\mu$  Beam  $10^{11}$   
 $H_2$   $4.8 \cdot 10^{21}/\text{cm}^3$



## Hydrogen ion chemistry





Rate =  $N_{\text{SF6}}/\text{cm}^3 \sigma$  velocity of electrons.  $N_{\text{SF6}} = 5.8 \cdot 10^{16} / \text{cm}^3$  for 1% degrade  $X_o$ . We get  $\tau = 1.2 \text{ ns}$  for 0.1 eV electron. The electrons will get completely absorbed as the RF cycle passes thru zero.